DRA

N84-21117

FINAL REPORT

BETA SYSTEMS ERROR ANALYSIS

January 26, 1984

Contract No. NAS8-35329

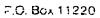


Frepared for

George C. Marshall Space Flight Center Marshall Space Flight Center, AL 35812



Applied Research Inc.







FINAL REPORT

BETA SYSTEMS ERROR ANALYSIS

January 26, 1984

Contract No. NAS8-35329

Prepared for

George C. Marshall Space Flight Center Marshall Space Flight Center, AL 35812



Applied Research Inc.

P.O. Box 11220

Huntsville, AL 35805

(205) 837-8600



TABLE OF CONTENTS

1.0	Introduction1
2.0	Review of the Algorithms for
	Determining the Backscatter Coefficient2
2.1	Volume Mode Algorithm2
2.2	Single Particle Mode Algorithm7
2.3	Computer Implementation12
2.4	Running the Data Prediction Algorithms26
3.0	Measurement Errors27
3.1	Volume Mode Errors
	Single Particle Mode Errors33
	Anomalous Cases from Processed Data49
4.0	Conclusions50
	References52
	Appendix53

LIST OF FIGURES

Figure		Page
1.	Geometry and Coordinates	4
2.	Peak Signal versus Backscatter	
	Cross-section Diagrams	10
3.	Longitudinal Profile at 10 Meter Focus	15
4.	Signal Processor Channel vs. Signal Level	17
5a.	Flow Chart of Computer Implementation	20
5b.	Flow Chart of Computer Implementation (con't).	21
6a.	Flow Chart of Computer Implementation of	
	Single Particle Inversion Subprogram OPTIM	22
6b.	Flow Chart of Computer Implementation of	
	Single Particle Inversion Subprogram OPTIM	
	(con't)	.23
7.	Flow Chart of Computer Implementation of	
	Single Particle Inversion Subprogram DATANAL	.24
8.	Data Record	. 25
9.	Statistical Error in Backscatter Coefficient	
	as a Function of Number of Particles Pro-	
	cessed for Flight 16 (Spike Removed)	. 44
10.	Statistical Error in Backscatter Coefficient	
	as a Function of Number of Particles Pro-	
	cessed for Flight 16 (with Spike)	.45
11.	Statistical Error in Backscatter Coefficient	
	as a Function of Number of Particles Pro-	
	cessed for Flight 9	46

12.	Backscatter	Coefficient	for	Flight	447
13.	Backscatter	Coefficient	for	Flight	1348

1.0 Introduction

Since 1980, personnel of Applied Research, Inc. have supported NASA at Marshall Space Flight Center in the measurement of the atmospheric backscatter coefficient, β , with an airborne CO Laser Doppler Velocimeter (LDV) system operating in a continuous wave, focussed mode. A method, called the Single Particle Mode (SPM) algorithm, has been developed from concept through analysis of an extensive amount of data obtained with the system aboard a NASA aircraft. The SPM algorithm is intended to be employed in situations where one particle at a time appears in the sensitive volume of the LDV. In addition to giving the backscatter coefficient, the SPM algorithm also produces as intermediate results the aerosol density and the aerosol backscatter cross-section distribution.

A second method, which measures only the atmospheric back-scatter coefficient, is called the Volume Mode (VM) and was simultaneously employed in obtaining the aforementioned data. The results of these two methods generally differed by slightly less than an order of magnitude. The purpose of this report is to examine the measurement uncertainties or other errors in the results of the two methods.

A review of the basis of each method is given in Section 2, including a discussion of the computer programming implementation of the SPM. A discussion of error inherent in each is given in Section 3, with conclusions summarized in Section 4.

2.0 Review of the Algorithms for Determining the Backscatter Coefficient

For convenience, the basis of the VM and SPM algorithms for obtaining the atmospheric backscatter coefficient β is presented here. It will be seen that the VM method works under more general conditions than the SPM method, but that the latter gives more information, namely the aerosol density and backscatter distribution. Each method has its own special calibration requirements.

2.1 Volume Mode Algorithm

The VM algorithm will now be derived from the response of the LDV to a single particle in its sensitive volume. This expression will be compared to the well known result for the signal-to-noise, S, of a focussed, cw LDV operating in the conventional "volume mode" with very many particles in its sensitive volume: $S = \beta G_V$ where

 $\beta = \int_{\sigma} n(\sigma) d\sigma$

 σ = single particle backscatter cross-section (m 2)

 $n(\sigma) = backscatter cross-section distribution (m⁻⁵)$

 G_{V} = volume mode gain factor determined by calibration (m).

In this derivation, the system will be assumed to be aircraft borne with optical axis perpendicular to the aircraft velocity vector. In this case each aerosol particle passes through the sensitive volume perpendicular to the optic axis with velocity v. See Figure 1. A particle at x,y,z with cross-section σ produces a signal-to-noise at time t given by

$$S(\sigma,t) = \sigma u(x,y,z)$$

where u(x,y,z) defines the LDV sensitive volume. That is, requiring S>l defines a sensitive volume dependent on σ . Extending this expression to many particles with cross-section σ moving in the positive x direction, each with initial position x_{OI} such that

$$x_i = vt + x_{oi}$$
 gives

$$S(\sigma,t) = \sigma \sum_{i} u(vt + x_{oi}, y_{i}, z_{i})$$

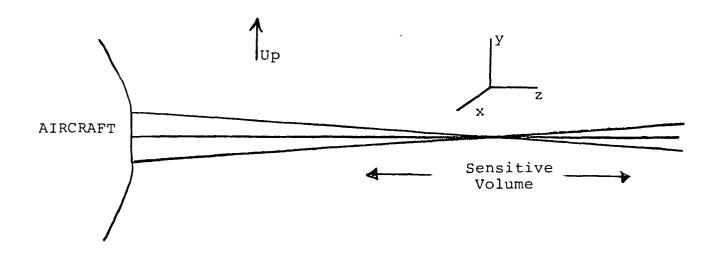
Further extending to a time average over M time intervals Δt gives

$$S(\sigma) = \sum_{j=1}^{M} S(\sigma, t_{j}) / M$$
$$= \sigma \sum_{i} u(y_{i}, z_{i}) m_{i} / M$$

with

$$u(y_{i},z_{i}) = \sum_{j} u(vt_{j}+x_{oi},y_{i},z_{i})/m_{i}$$

and m_i is the number of integration points within the sensitive volume. This quantity depends on the trajectory of the particle



y is up

z is läser beam

x is along aircraft velocity vector

Particles penetrate perpendicular to the yz plane

Figure 1. Geometry and Coordinates

defined by the constants y_i and z_i through the sensitive volume and is independent of velocity. Actually

$$m_i = \Delta x(y_i, z_i)/v\Delta t$$

where $x(y_i,z_i)$ is the width of the sensitive volume at y_i and z_i . Once again extending the expression by replacing the summation over particle number by integration over volume and the uniform density $n(\sigma)$ gives

$$S(\sigma) = n(\sigma) \sigma \int u(y,z) \Delta x(y,z) dydz$$
$$= n(\sigma) \sigma G(\sigma).$$

A possible dependence of the gain factor G on σ is emphasized because of its importance in case this method is used when a single particle at a time is sensed. That is, if an effective threshold exists at S=1, the sensitive volume is defined by S>1, and the single particle sensitive volume is smaller than the many particle sensitive volume because many particles outside the single particle volume can build up a signal S>1. In order to include all particle sizes, the expression must be integrated over σ :

$$S = \int n(\sigma) \sigma G(\sigma) d\sigma$$
.

Putting this in the form given at the beginning of this section

such that β can be isolated requires defining

$$G_{VM} = \int n(\sigma) \sigma G(\sigma) d\sigma / \int n(\sigma) \sigma d\sigma$$

so that

$$s = \beta G_{VM}$$
.

Note that $G_{V\!M} < G_V$, the conventional many particle volume mode gain, if $G(\sigma)$ is dependent on σ . This means that, if β is calculated from a measured signal S obtained from an average of single particle signals with $\beta = S/G_V$, too small a result would be obtained.

The basis of the VM method for measuring the backscatter cross-section has been developed. However it has been shown that the gain factor may depend on whether data is taken in a many particle or single particle situation.

2.2 Single Particle Mode Algorithm

The SPM algorithm functions by recording the peak signal from each particle which transits the sensitive volume. The geometry is the same as described previously. Single particle transits are assumed not to overlap in time. From the statistics of the peak signal distribution and knowledge of sensitivity contours within the sensitive volume, one may derive the particle density, backscatter cross-section distribution, and atmospheric backscatter coefficient. The algorithm will now be described using discrete mathematics with direct application to the computational programs.

Consider an interval of the single particle backscatter cross-section axis from σ_L to σ_H which covers all particles seen, and which itself is divided into M intervals. The backscatter coefficient will be taken as

$$\beta = \sum_{j=1}^{M} n_{j} \sigma_{j}$$

where

 n_{j} = number of particles per unit volume within the jth interval

 σ_j = cross-section at the center of the jth interval.

Suppose that the total number of particles seen per unit volume

is D; then

$$w_j = n_j/D$$

is a probability distribution since

$$\sum_{j=1}^{M} w_{j} = \sum_{j=1}^{M} n_{j}/D = 1$$

Since each σ_j has a particular amount of the sensitive volume v_j in which the particle would give a signal above threshold \textbf{S}_L , the total number of particles seen, N, is

$$N = \sum_{j=1}^{M} n_j V_j = D \sum_{j=1}^{M} w_j V_j$$

and the density D is

$$D = N / \sum_{i=1}^{M} w_{j} V_{j}$$

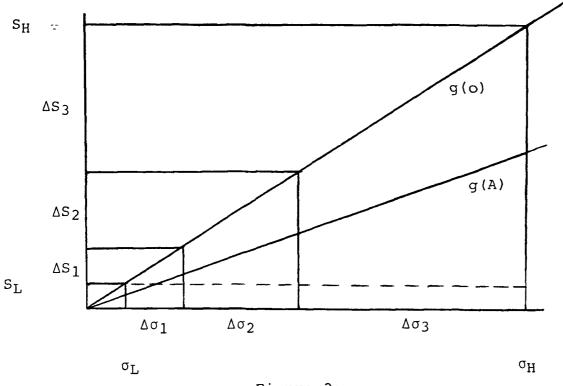
which says that the relevant volume is an average volume weighted by the cross-sectional distribution $\mathbf{w}_{\dot{J}}$. Also

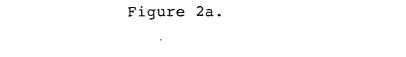
$$\beta = \sum_{j=1}^{M} n_{j} \sigma_{j} / 4 \Pi = D \sum_{j=1}^{M} w_{j} \sigma_{j} / 4 \Pi$$

= D
$$<\sigma>/4\Pi$$

so that β is given by the particle density times the average cross-section. The SPM algorithm determines the probability distribution w_j through the relationship between the peak signal distribution and the sensitivity contours within the sensitive volume. This same information also determines the density.

In order to understand the SPM algorithm, the concept of the volume $\textbf{V}_{\dot{\textbf{j}}}$ sensitive to a particle of cross-section $\sigma_{\dot{\textbf{j}}}$ must be clear. For the geometry previously described with the laser axis perpendicular to the aircraft vector, this volume is a cylinder with axis in the direction of the aircraft velocity vector and length vt, where v is the aircraft speed and t is the time of observation. This cylinder intersects a vertical plane through the optic axis in an area A $_{\dot{j}}$. The definition of the volume V $_{\dot{j}}$ is that particles $\sigma_{\dot{1}}$ passing through the area $A_{\dot{1}}$ will give a peak signal S (signal-to-noise) above threshold S_{L} . The gain factor g(y,z) in the equation $S_L \leq g(y,z)$ determines the area A_j , where y,z are coordinates in the vertical plane of the sensitive volume. Furthermore, the notation g(A) is used to mean the gain on the contour surrounding the area A. These concepts and the relationship between the σ and S distributions are shown in Figure 2a. The line g(0) represents the maximum gain of the sensitive volume because the maximum gain occurs at a point. Three σ and S intervals are shown in this figure, with boundaries related by $S = \sigma g(0)$. Any other gain is represented by another line with slope g(a) < g(0). Notice that a particle in interval $\Delta \sigma_2$ may contribute to ΔS_1 and ΔS_2 , depending on the gain, but not





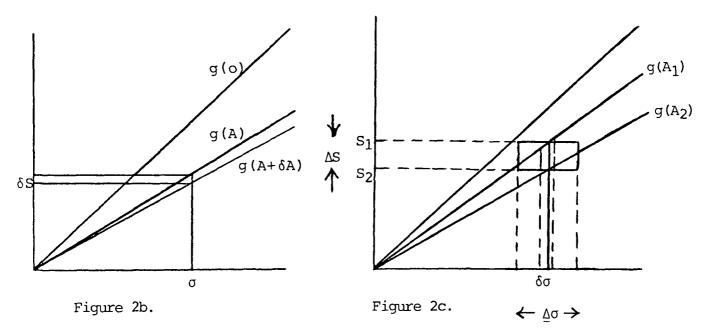


Figure 2. Peak Signal versus Backscatter Cross-section Diagrams

to ΔS_3 since this would require a gain larger than g(0).

In order to relate the σ and S distributions, consider Figure 2b. Particles with a number per unit area density $n(\sigma)$ at σ contribute signals ΔN within δ S according to $\Delta N = \delta A n(\sigma)$ To determine the contribution of a macroscopic interval $\Delta \sigma$ to a macroscopic interval ΔS , as shown in Figure 2c, the intergral

$$\Delta N = \int_{\Delta \sigma} n(\sigma) \Delta A(\sigma) \delta \sigma$$

is evaluated where $n(\sigma)$ is the number of particles per unit volume per σ increment at σ , $\Delta A(\sigma) = A_2 - A_1$, and $\delta \sigma$ is a subinterval in σ . Notice that the areas can be considered functions of the gain, and therefore $A_2 = A(S_2/\sigma)$ and $A_1 = A(S_1/\sigma)$. This function has been determined by calibration and is included in the computational program (Section 2.3, 2.4 and Appendix in tabular form in subroutine DATANAL. The method of obtaining these data is described in Reference 1. In order to perform the above integral, the probabilities behind the $n(\sigma)$ are assumed ($\mathbf{w}_{\mathbf{j}}$ in previous discussion) and the probability of obtaining AN particles is calculated in subroutine OPTIM. actual numbers of particles are obtained by multiplying by the total number of particles observed. Contributions to each AS $\Delta\sigma$ interval are evaluated. interval from each possible assumed distribution $n(\sigma)$ is then varied until the best fit to the peak signal distribution is obtained in the least squares sense. With this "best fit" distribution the density, average cross-section $\langle \sigma \rangle$, and backscatter coefficient β are determined.

2.3 Computer Implementation

Implementation of the β prediction algorithms involved setting several parameters and making certain assumptions. These parameters/assumptions have little precedence, and therefore Applied Research will identify these variables/assumptions as clearly as possible.

- The number of signal bins = 6. Six bins were processed and used for the inversion. A seventh bin was identified and used to store all large particle signals, but not considered in the inversion.
- 2. The number of processor bins which made up each of the six signal bins were:

Signal bin 1 = processor bins 5-8

Signal bin 2 = processor bins 9-16

Signal bin 3 = processor bins 17-32

Signal bin 4 = processor bins 33-64

Signal bin 5 = processor bins 65-128

Signal bin 6 = processor bins 129-255

Signal bin 7 = processor bin 256

Note that signal bins 1-6 contain progressively twice as many processor bins as the previous signal bin. This type of consolidation was done because the lower order processor bins get many more signals/bin than the higher order bins.

Note also that processor bins 1-4 are not used because the threshold was set at 4.

- 3. The signal processor threshold is equal to 4.
- 4. The volume channel bandwidth is 860 Khz.
- 5. The single particle processor bandwidth is 1.5 Mhz.
- 6. The LDV is always focussed at 10 meters.
- 7. The number of sigma bins = 6.

The above mentioned parameters/assumptions were employed throughout the data prediction results.

In addition to the pre-set parameters, several other pieces of information are very important to the data predictions. This information is all related to calibration of either the single particle mode or the volume mode. The volume mode calibration and method of prediction will be discussed first, followed by the single particle calibration and method of prediction.

For the VM calculations, two sets of calibration data were used. The first is identified as the "count" calibration and this data is read in at the beginning of the main program and stored in the array CAL (J,I). The first index J is over IF gain values from 45 to 70. The second index I is over DBSM values from -71 to -20. The proper calibration curve was picked depending upon the IF gain parameter. The volume "count" calibration data also had to be divided by 500 in order to scale the counts to one average count value.* The volume "count" calibration data relates "counts" in the volume channel

^{*}Volume mode calibration data was performed by W.Jones of NASA.

This information was relayed verbally to Applied Research, Inc.

to DBSM values. The second set of calibration data required is a measurement of the signal response of the LDV as a function of longitudinal distance while focussed at 10 meters. This data is shown in Figure 3. This data was used to calculate $L_{\rm eff}$ at 10 meters. (Reference 1) Longitudinal distance means along the optical axis of the LDV.

The volume β was calculated using the following equation:

$$\beta = (v_S/v_n)f_r/(s_d I_{eff})$$

V_S - integrated volume signal

V_n - integrated volume noise

S_d - signal-to-noise from a sandpaper disk at 10 meters focus with noise scaled from the calibration bandwidth of 100kHz to 860kHz, the processor bandwidth, giving 1.84x10⁶.

 f_r - bidirectional reflectance of a sandpaper disk equal to .016.

 ${
m L}_{\mbox{\scriptsize eff}}$ - effective length of the LDV while focussed at 10 meters, found to be 64.1 cm.

 $L_{\rm eff'}$ $S_{\rm d}$ and $f_{\rm r}$ were all determined prior to beginning the data predictions and remain fixed throughout. The volume signal and noise were calculated for each data point. The LDV data had alternating samples of noise data throughout each of the flights. This was accomplished by dithering a mirror in the optical train thereby effectively "losing" the signal. The raw output of the

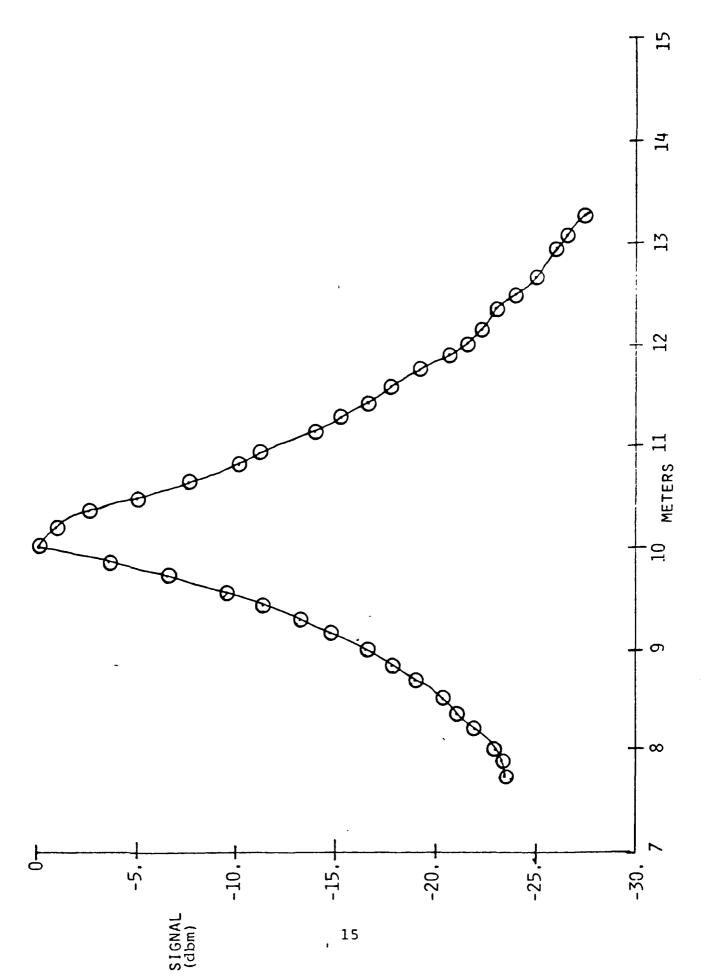


Figure 3. Longitudinal Profile at 10 Meter Focus

volume β channel on the LDV processor is called "counts". This count has to be divided by the number of times the channel was scanned in order to provide the average count for the time interval. The average count is then compared to the count calibration data (using the correct IF gain) to obtain a DBSM signal. The assumption was made that the volume channel count (data record) actually was signal plus noise while the noise particle count was noise only. Therefore to obtain the volume signal (V_S) the noise signal (V_n) was subtracted from the signal plus noise. This provided the V_S and V_n required to complete the volume β prediction.

Two pieces of calibration data are required to complete calibration for the single particle β calculation. These data are the correlation between signal value and channel number on the signal processor and the gain (equals signal/noise/cross-section) versus area curve.

The correlation between channel number and signal value is important to establishing what size particles are being seen by the processor. The "signals" here are tied to the calibration of the area curve discussed next. It is not known how this calibration data may depend upon the IF gain. All predictions were obtained using one calibration curve, Figure 4, which has an IF gain of 57.

The gain versus area curve is crucial to making the correct single particle β predictions. This data was taken by Applied

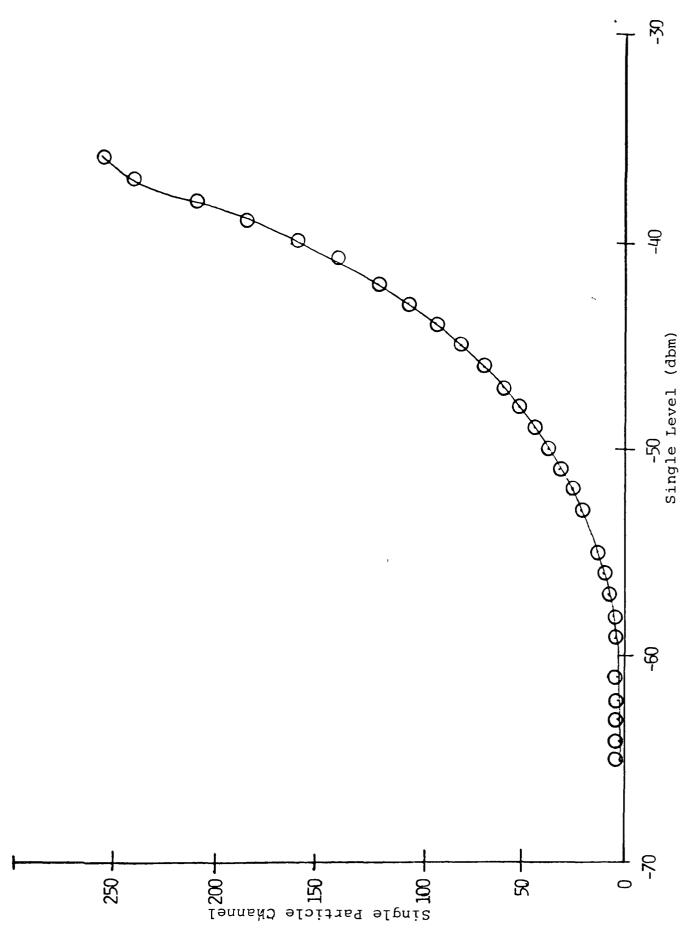


Figure 4. Signal Processor Channel vs. Signal Level

Research, Inc. and presented in Reference 1. This data resulted in a relative mapping of the sensitive focal volume of the LDV in a vertical plane containing the optical axis. "Relative" means that the scale of the map (signal/noise/sigma) was undefined. The remaining procedure then was to define the scale of the gain versus area map. This was done by using the following equation:

$$S_d/f_r = \int Cg'(A) dA$$

where $S_{\hat{d}}$ is the signal return from a sandpaper disk at 10 meters, $f_{\hat{r}}$ is the bidirectional reflectance of a sandpaper disk, and g' is the relatively scaled gain data. The values used were:

$$S_d = 1.053 \times 10^6$$

 $f_r = .016$
 $f_{q'dA} = 1.44 \times 10^6$

The S_d value is the calibration value of $10^{7\cdot2}$ scaled from 100kHz to 1.5MHz. The value of C determined was: C = 45.99. This value is used in subroutine DATANAL in a data statement as variable TRANS to scale the area curve to the proper values. Also as a result of this determination of a scale factor C, the single particle gain at an area of 0 can be used from the equation $S/\sigma/_{A=0} = g(0)$. to relate a S/N value S to a σ value; i.e. $\sigma = S/g(0)$. This relationship is used in the main program about lines 218-220 with a value of 1.1037 x $10^{7}/\text{cm}^{2}$ for g(0).

The result of the inversion is to return an average sensitive volume cross-sectional area (WV) and average particle cross-section (WS). The equation

$$\beta = (ISUM/4\pi)(WS/FLTL/WV)$$

was used to compute the single particle β , were ISUM is the number of particles in the histogram. The flight length, FLTL, is computed by using the data recorded in each record (or records) for the elapsed time and flight speed.

The results of the computer implementation were presented in Reference 2. The results presented were all obtained using a power law solution for the σ distribution in the inversion subroutine OPTIM. This was done because early test runs indicated that the power law solution was nearly always the best fit. Since run time was becoming a problem for processing the many flights, the exponential and log-normal solutions were bypassed. This "bypass" can be eliminated by removing line 603.07 - IF(IP.EQ.2) RETURN in the subroutine OPTIM.

Figures 5 - 7 contain a flowchart of the main program and various subprograms which constitute the computer implementation of the β prediction algorithms. The Appendix has a short description of each program of the β prediction algorithms and also contains a listing of the main program and associated subprograms.

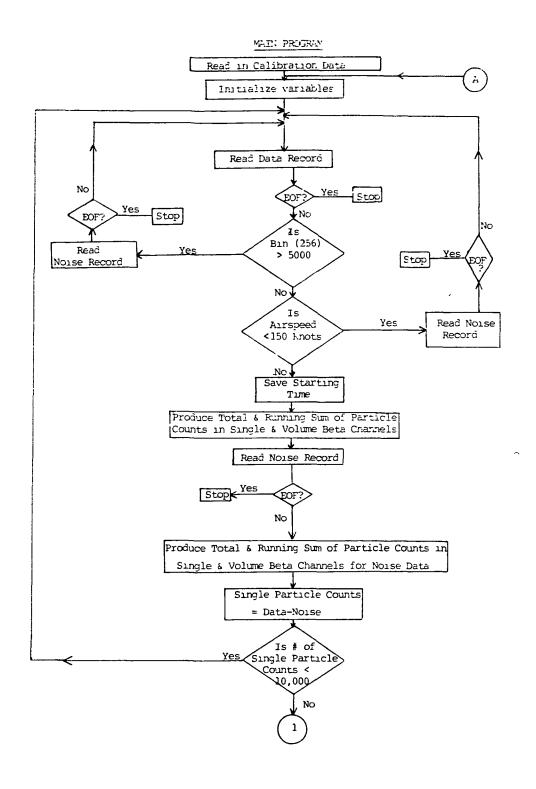


Figure 5a. Flow Chart of Computer Implementation

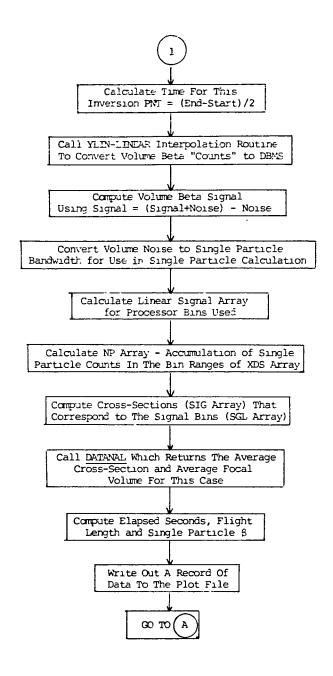


Figure 5b. Flow Chart of Computer Implementation (continued)

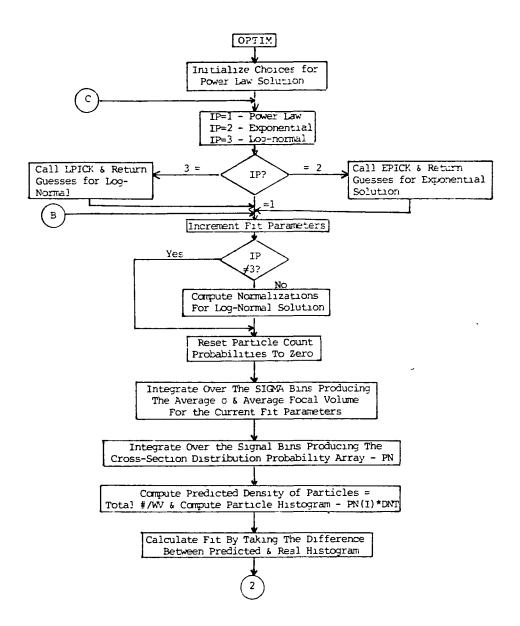


Figure 6a. Flow Chart of Computer Implementation of Single Particle Inversion Subprogram OPTIM

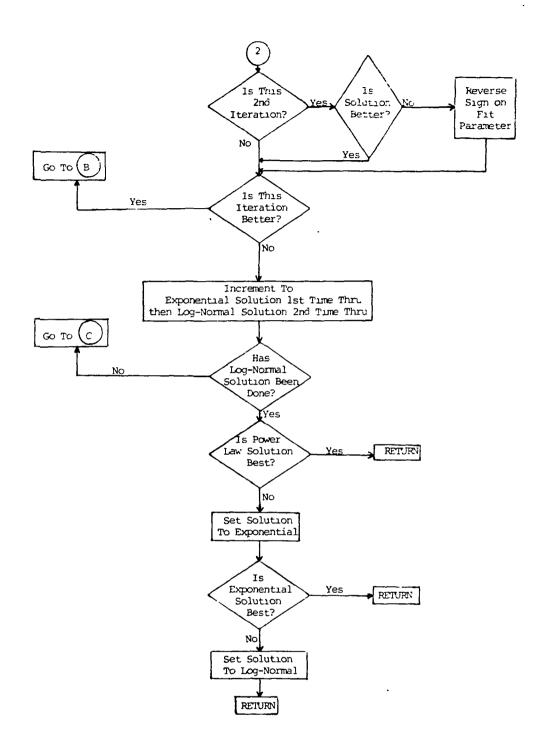


Figure 6b. Flow Chart of Computer Implementation of Single Particle Inversion Subprogram OPTIM (continued)

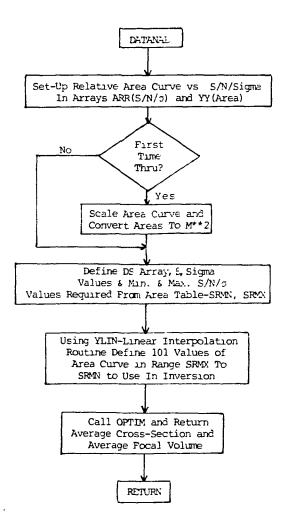


Figure 7. Flowchart of Computer Implementation of Single Particle Inversion Subprogram Datanal

Figure 8. DATA RECORD

Ø-	TIMH: TIMM: TIMS:	12 Ø	CURRENT TIME
4 -	TIMF: TIMH1: TIMM1: TIMS1: TIMF1:	10°° 12 Ø Ø	TIME AT START OF RECORD
8-	DATEM: DATED: DATEY:	6 1 32	CURRENT DATE
11-	STEPR1: STEPR2: STEPR3:	Ø Ø Ø	STEPPER POSITIONS (NOT PRESENTLY USED)
14-	VOLBH: VOLBL: VOLBN:	Ø Ø Ø	VOLUME BETA INTEGRATORS
19-	PARMS: CLOCKP: FILTER:	171356 11. 2	CONTROL REGISTER PARAMETERS DIGITAL FILTER CLOCK PERIOD IF FILTER WIDTH
20-	TIMEON: VCOFRQ: DOFSET:	3 140. Ø 11.	VIDEO TIME CONSTANT VCO FREQUENCY A/D FILTER BIAS
23-	DISCRM:	<u>Ø</u>	DISCRIMINATOR THRESHOLD
25-	FWDID: NDSETS: INTSEC: ADDASV: ADDASI:	45. Ø 1 1000. Ø 100.	IF GAIN FORWARD/AFT IDENTIFIER # SCANS PER WRITE MS PER INTEGRATION PERIOD UP IF ADDAS LINK ON # MS PER ADDAS OUTPUT
30-	SCAN: TASADD: TASKB: THETA:	300	UP IF SCANNER ENABLED TAS FROM ADDAS TAS FROM KEYBOARD ANGLE THETA IN .Øl-DEG UNITS
34-	VCOOFS:	Ø	VCO OFFSET IN 53-KHZ UNITS

88 IDENT: BLHB 80. <u>IDENTIFICATION STRING</u>

128

383 <u>DATA</u>

2.4 Running The Data Prediction Algorithms

The β prediction algorithms are stored on disk on the Sigma V computer in account BILBRO, EB23175. The file name is DATANAL. A batch file which is used with the code is stored under BXD. Two input files are required, they are unit numbers 5 and 12. File unit number 5 must be LDV processor data in the format shown in Figure 8. This defines the data for which predictions are to be made. File unit number 12 is volume β calibration data and is stored under the file name CALFIL4 in account BILBRO, EB23175. Units 6 and 10 are used as output unit numbers to obtain the printed results of the algorithm. Unit 13 is also an output unit but is used to store results for plotting and should therefore be given a file name by the user. Unit 13 produces one record for each β prediction during the flight in the following format:

Write(13) LH,LM,LS,LF,SINGLEB,VOLB,WS,FLTL,ELS,WV.

The definition of these variables is:

LH - Hours for this prediction

LM - Minutes for this prediction

LS - Seconds for this prediction

LF - Fractional seconds for this prediction

SINGLEB - Single particle β prediction

VOLB - Volume channel β prediction

WS - Predicted average cross-section

FLTL - Estimated flight length

ELS - Number seconds for which data-recording occurred for this prediction

WV - Predicted average focal "volume" cross-section

3.0 Measurement Errors

In the application of the previously discussed VM and SPM algorithms to the processing of the NASA flight data, two general classes of error are considered. The first class, systematic errors, involves errors of concept, principle, or application. The second class concerns statistical errors or uncertainties which result from lack of knowledge or from fluctuating random variables. Systematic error is the most difficult to handle since even its presence is not always obvious. In the case of the data under consideration, an average offset of the results from the two algorithms of about one order of magnitude indicates systematic error. However, more than one such error could be present. To uncover these errors, a reconsideration of concepts and procedures is necessary.

Statistical error is more easily treated. With estimates of the statistical uncertainty in independent variables, the uncertainty in the final result may be obtained. In the present case, also the number of particles processed per output β value is expected to govern statistical fluctuation in β . This result has been analyzed.

3.1 Volume Mode Errors

The VM algorithm has been derived in Section 2.1. Possible systematic errors in the backscatter coefficient calculation may

reside in

- a) the processor output
- b) the interpretation of the processor output
- c) the concept for the volume mode gain when used with single particles (as discussed in Section 2.1)
- d) a systematic offset in the parameters used to calculate the backscatter coefficient value

Possible errors in the processor output or the curves supplied by NASA which translate output into signal level are not considered here, but must be investigated in the laboratory.

The interpretation of the processor output has been discussed in Section 2.3 and no error has been discovered.

As discussed in Section 2.1, if the gain factor $G(\sigma)$ is dependent on σ as a result of a decreased sensitivity volume for smaller σ , calibration of the "single particle volume mode" should not be treated as the "conventional volume mode." As mentioned in Section 2.1, $G_{VM} < G_{V}$ implies that β values calculated with the gain factor G_{V} for the conventional volume mode give too small a value by the ratio G_{VM}/G_{V} . Evaluation of G_{VM} requires laboratory determination of the sensitive volume for each value of σ , integration of the single particle gain over this volume, and then integration of this result over the backscatter cross-section distribution. Therefore, in measurement situations, this effect would require determination of the σ distribution. An

effect very similar to this occurs in the SPM where the aerosol density is calculated by dividing the number of particles seen by the average volume, calculated by averaging the sensitive volume elements for the SPM over the σ probability distribution. It is not clear whether the VM sensitive volume elements would be the same as those for the SPM since signal acquisition requirements are different for the two modes. One has the feeling that this effect would contribute errors of less than an order of magnitude. This question might be answered with computer modeling.

The backscatter coefficient is calculated from the expression

$$\beta = S/G_{V}$$

where S is the signal to noise found from the data as explained in Section 2.3, and G_V is found by calibration with

$$G_V = S_d I_{eff} / f_r$$

where

 S_d = signal to noise return from a calibration disk of bidirectional reflectivity f_r

$$L_{eff} = \int g(x,y,z) dxdydz / \int g(x,y,0) dxdy$$
(see Figure 1)

L_{eff} = the effective length of the sensitive volume

Errors or uncertainties in β may be evaluated as

$$\delta \beta / \beta = \delta S / S + \delta S_d / S_d + \delta L_{eff} / L_{eff} + \delta f_r / f_r$$
.

The change $\Delta\beta$ in units of orders of magnitude is defined as

$$\Delta\beta = \log(\beta + \delta\beta) - \log\beta$$

=
$$log(1 + \delta\beta / \beta)$$

Each of the above error sources is considered separately.

Error due to S:

The signal out of the processor and corrected by noise subtraction is assumed here as exact. A possible interpolation error of less than ldBm occurs in obtaining the dBm level from the volume channel counts. This yields a $\Delta\beta$ found as

$$\Delta\beta = \log(1 + \delta S/S) = \log(S+\delta S) - \log S$$

$$= [(S+\delta S)_{dBm} - S_{dBm}]/10$$

= .1

Error due to Sd:

The calibration signal error from the rotating sandpaper disk at the sensitive volume waist would not be likely to have a reading error of more than 2 dBm, from inspection of the variation of the calibration data. Thus

 $\Delta\beta = .2$

Error due to f_r:

The bidirectional reflectance of the aluminum oxide target for incidence and reflection at 45 degrees was taken to be .016/sr. An uncertainty of $\pm 25\%$ has been quoted by workers in this field (Reference 3). This gives

 $\Delta B = .1$

Error due to Leff:

The error in the determination of \mathbf{I}_{eff} is less than 10% from consideration of the methods used. This gives

 $\Delta \beta = .04$

In summary, the possible errors due to uncertainty in the quantities used to calculate the backscatter signal in the volume mode are given in the following table:

	Δβ
Source	(orders of magnitude)
S	.1
s_d	. 2
fr	.1
\mathtt{L}_{eff}	.04

These uncertainties may be positive or negative, and combine to less than half an order of magnitude at maximum. The error given for S considers only the uncertainty in interpolating the processor output. Systematic errors are not included in these numbers, but once identified, their effects would be calculated with the above formulae.

3.2 Single Particle Mode Errors

As discussed in Section 2.2, the backscatter coefficient for the SPM may be expressed as

 $\beta = D < \sigma > /4 \Pi$

where D is the particle density and <0> is the average single particle backscatter cross-section. These quantities are determined from the peak signal distribution and the gain contours versus enclosed area function resulting from mapping the sensitive focal volume area in the vertical plane of maximum gain - the yz plane of Figure 1.

Possible systematic errors for this mode concern

- a) the processor output
- b) the interpretation of the processor output
- c) the single particle per transit time condition on the applicability of the algorithm
- d) the gain versus area function determined by calibration
- e) operation of the SPM algorithm

 Random errors and measurement uncertainties will be discussed following discussion of these topics.

The processor output will be assumed valid, subject to

laboratory tests, except possibly for point c). The interpretation of this output is described in Section 2.3 and questions are raised under point d). Some implications regarding conditions of validity for the SPM algorithms also follow from the discussion of point d) below. The SPM algorithm has been found valid for predicting β , subject to random errors, as previously documented.

In the course of the present work, considerable effort has been spent in an attempt to improve the application of calibration procedures which result in the single particle gain versus area function, with the result that a significant shift in the previously processed backscatter coefficient values is indicated. Originally, calibration plans for this program included a special calibration device which would emit single particles of known cross-section. Time constraints from the flight plans forced this effort to be interrupted and an alternate calibration procedure was sought involving the spinning disk. Under this contract this procedure has been reconsidered and improved.

Contours of constant single particle gain, g(x,y,z), were mapped out in the x=0 (vertical) laser beam plane within the sensitive volume, in a previous contract. Only relative values of these contours were determined by this mapping procedure, with overall normalization to be determined by another method. A more accurate way of obtaining this normalization follows.

The conventional volume mode gain G_V is defined as the integral over the single particle mode gain g(x,y,z) and

determined by calibration with a spinning disk at the waist as

$$G_V = \int g(x,y,z)dxdydz$$

= $S_d L_{eff}/f_r$.

The desired integral to be evaluated for normalization of the gain versus area function is

$$I = \int g(o,y,z)dydz$$
$$= \int g(A)dA$$

where a change of variables transforming the integral from a two dimensional to a one dimensional integral is implied. The variable A is the total area within closed contours of g. With this integral evaluated, g is related to its unnormalized version g' by

$$g = ag'$$

where

$$a = I/\int g'(A)dA.$$

The value I can be determined from \mathbf{G}_{V} if the sensitive volume is assumed cylindrically symmetric about the optical axis of the beam. Representing the integral for \mathbf{G}_{V} by transforming to cylindrical coordinates gives

$$G_V = \int g(\rho, z) \rho d\rho d\theta dz$$

$$= 2\pi \int g(\rho,z)\rho d\rho dz$$

=
$$2\pi \rho_{av} \int g(\rho,z) d\rho dz$$
.

This last integral is one-half of the desired integral I. Also

$$\rho_{av} = \int g(\rho, z)\rho d\rho dz/\int g(\rho, z)d\rho dz$$

is an average radius of the sensitive volume. Hence

$$G_{V} = \Pi \rho_{av} I = S L_{eff}/f_{r}$$

and from

$$I = a \int g'(A) dA = aI'$$

one gets for the normalization factor

$$a = [S_d/(f_rI')]L_{eff}/(\pi\rho_{av})$$

=
$$a_0 L_{eff}/(\Pi \rho_{av})$$

where a_0 was the normalization used in the processing of the flight data. The integrals for ρ_{av} were numerically evaluated to give ρ_{av} = .0265cm. (Compare this with Figure 9.21 of

Reference 1.) This gives

$$a = [(64.1cm)/(.0265 \pi cm)]a_0$$

 $= 770a_{0}$

Any adjustment in the normalization of the gain versus area function affects the sizes of the particle distribution which can be detected and associated with a particular peak signal distribution. For the power law backscatter cross-section distribution function, which best fits the processed flight data, an adjustment "a" divides the average cross-section, but does not change the density. (See subroutine OPTIM). Thus

$$\beta = \langle \sigma \rangle D/4\Pi$$

$$= \beta_{O}/770$$

and indicates that all calculated single particle ß values should be decreased by about 2.9 orders of magnitude. A calibration factor of the same order of magnitude is indicated by using the incoherent beam profiles of Figures 8.3 and 8.4 of Reference 1. This implies that the system is sensitive to cross-sections as small as .00166 square microns since threshold peak signal levels required cross-sections of 1.28 square microns at the original calibration.

The signal-to-noise for a given cross-section is unchanged by this rescaling since its effect on g and σ cancel for a power law σ distribution. For example, around record 6 of flight number 9, processing of 10,000 particles gives a signal-to-noise of about .14 for the threshold in this case. To obtain this number one must use the calibration curve supplied by NASA for IF gain of 57. Flight 9 had an IF gain of 63. It is clearly these low signal-to-noise numbers combined with the higher single particle gain values which are responsible for such low β values.

This adjustment in the normalization of the gain means that the system is sensitive to smaller particles than previously indicated, without undergoing an adjustment in the required signal-to-noise threshold. The backscatter coefficient is consequently smaller because no corresponding adjustment in density This gives a result which is about two orders of magnitude lower than the VM measurement. Nominal densities calculated with the SMP algorithm give about 1 particle per 100 cubic centimeters, which seems rather low for distributions with an average cross-section of .007 square microns, as in the flight 9 case This density would be more appropriate for particles of greater than 1 micron diameter. Therefore, since the gain profile of the sensitive volume is fairly well established (coherent and incoherent methods give the same order of magnitude for the scaling), there is reason to question the signal-to-noise values assigned to the signal bins of the processor output. The method of calculating these has been rechecked with no mistake found.

The actual calibration curve provided by NASA which assigns signal level to a bin should be rechecked. Also the variation of these assignments with IF Gain should be considered. An increase in signal values through recalibration of the processor gain could bring SPM and VM results into agreement.

The following consideration suggests another possibility. With the same particle distribution, the VM result predicts densities of about two orders of magnitude higher. For this case of one particle per cubic centimeter, the system may see more than one particle per transit time since the sensitive cross-sectional area is 42 square centimeters. A coincidence rejection mechanism could give erroneous results since no compensation is made for rejected cases; or a coincidence rejection mechanism which is not properly responding could interpret clusters of particles as single particles, thereby decreasing the density. Hence it may be possible that the SPM was used outside the conditions of validity without proper compensation being made.

Random errors, or errors of uncertainty of measurement, in the single particle prediction can result from the gain versus area function determination, the interpretation of the peak signal bins, the operation of the algorithm, and the number of particles seen. As before, the uncertainty in β in units of orders of magnitude due to a component uncertainty $\Delta\beta$ is

$$\Delta\beta = \log (1 + \delta\beta/\beta)$$
.

As documented in an informal memo, the algorithms produce an uncertainty of less than 5%.

Error due to algorithm:

$$\Delta B = .02$$

Random error due to interpolation of signal bin calibration is 1 dBm. (This does not include possible systematic error due to this calibration data discussed earlier). For small errors this has an approximately linear affect on the σ interval, and therefore on $\langle \sigma \rangle$. Hence

$$\delta\beta = 26\%$$

Error due to interpolation of peak signal calibration:

$$\Delta \beta = .1$$

The gain versus area function was previously discussed in terms of systematic error. Any alteration of this function by a factor "a" goes directly through to $\langle\sigma\rangle$ and then to $\delta\beta$. It is helpful to derive an estimate for the uncertainty in "a" due to measurement errors by referring to the previous expression

$$a = a_o L_{eff} / \rho_{av} II$$

where

$$a_0 = S_d/f_rI'$$

and I' is the integration over the unnormalized contours. The uncertainty in I' is difficult to estimate precisely but is within 10%. Using the previous values for S_d and f_r , and taking ρ_{av} to have the same uncertainty as I' and L_{eff} gives the following results for random errors due to uncertainties in measurements used to calculate the backscatter coefficient in the single particle mode.

	Δβ
Source	(orders of magnitude)
Algorithm	.02
Peak signal interpolation	n .1
${f s}_{ t d}$. 2
f _r	.1
$\mathtt{L}_{ t eff}$.04
ρ_{av}	.04
I'	.04

Errors due to particle number fluctuations are not treated in this format but considered in the following paragraph.

Errors resulting from fluctuations due to small particle samples have been examined by comparing with the results from the case when a 10,000 particle minimum was used. For processing runs utilizing various sample sizes less than 10,000, a running

time-weighted average of the results sufficient to include 10,000 particles was developed, and considered a "local average". result was used in two ways. The difference of this local average from the 10,000 particle case was considered the error in the local average. (The local average value nearest in time to the 10,000 particle value was used). Also, the fluctuation from the local average was calculated from the differences of the small particle number data from the local average. This method was found to be reasonable if too sharp variations in the data do not occur. Figure 9 shows these results for a region of flight 16 with the sharp β spike at time 878 removed. These results show rms deviations in units of orders of magnitude. indicate that the local error can be maintained with .1 orders of magnitude with particle samples of 1000 minimum. Fluctuations of the "instantaneous" data from the local average do not approach this value until around 5000 particles minimum are processed. this case the SPM has lower deviations and fluctuations than the VM data. (The VM data was also compared with itself in the manner described above). Figure 10 shows the same flight with the β spike included, with results which do not settle down as Figure 9 shows the deviations of the local average to be smaller than the fluctuations of the data from the local average. Figure 10 shows some of the SPM versus VM behavior.

Figure 11 shows the same data from a region of flight 9.

Here the fluctuations are lower than the deviation of the local mean, and the results do not settle down as well as the 10,000

particle case is approached. For the SPM the .1 order of magnitude error is approached at 1000 particles, while 3,000 particles seem to be required for the VM result.

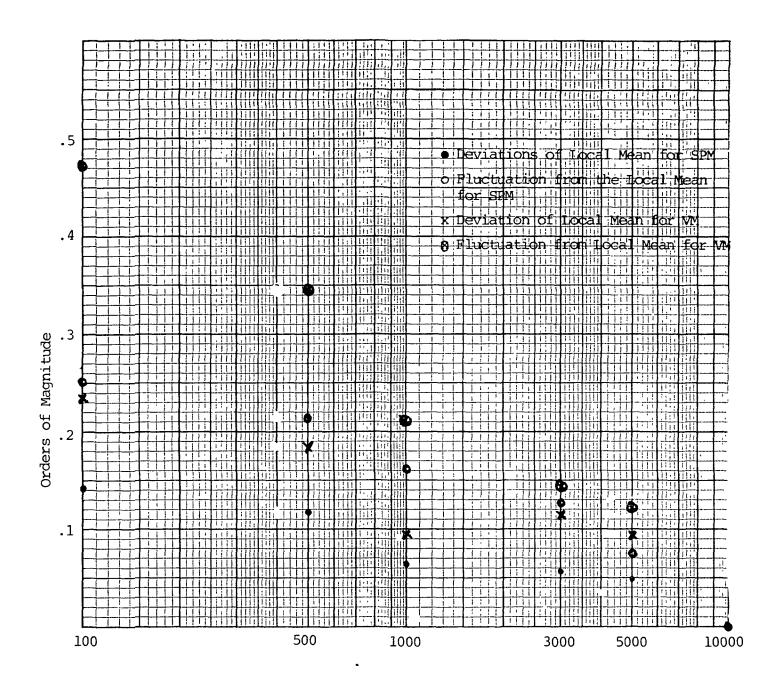


Figure 9. Statistical Error in Backscatter Coefficient as a Function of Number of Particles Processed for Flight 16 (Spike Removed)

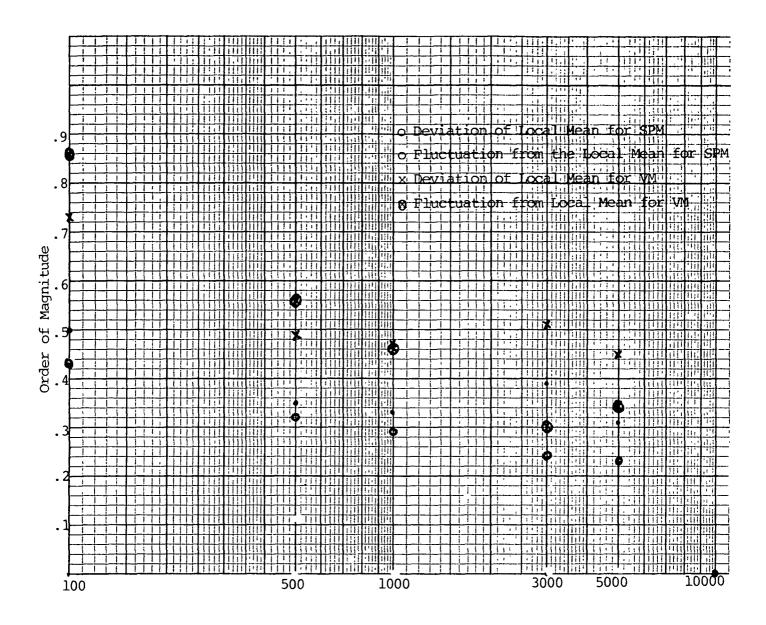


Figure 10. Statistical Error in Backscatter Coefficient as a Function of Number of Particles Processed for Flight 16 (with Spike)

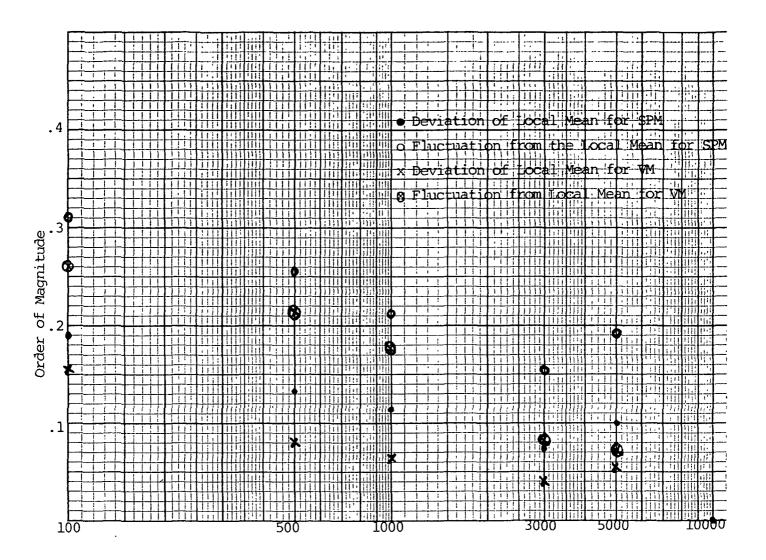
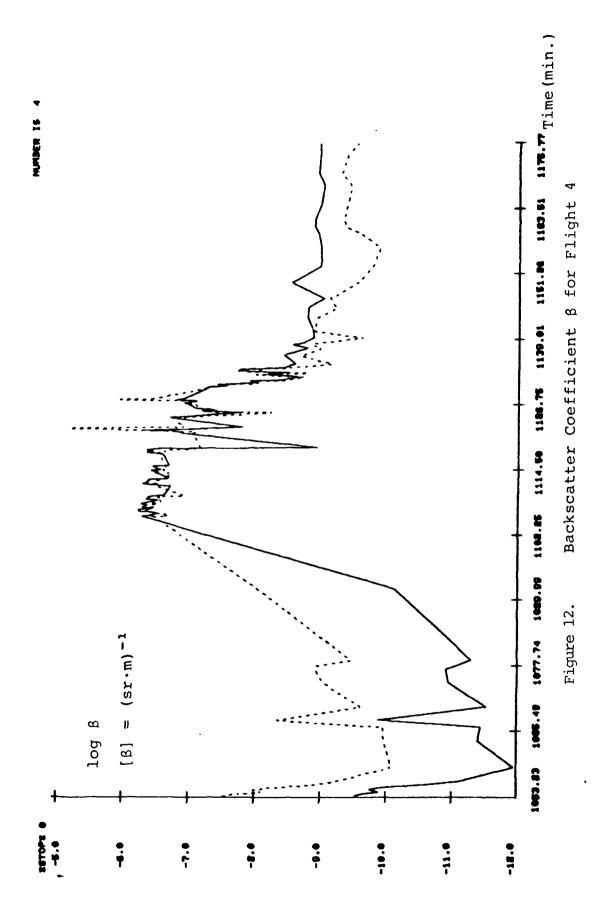
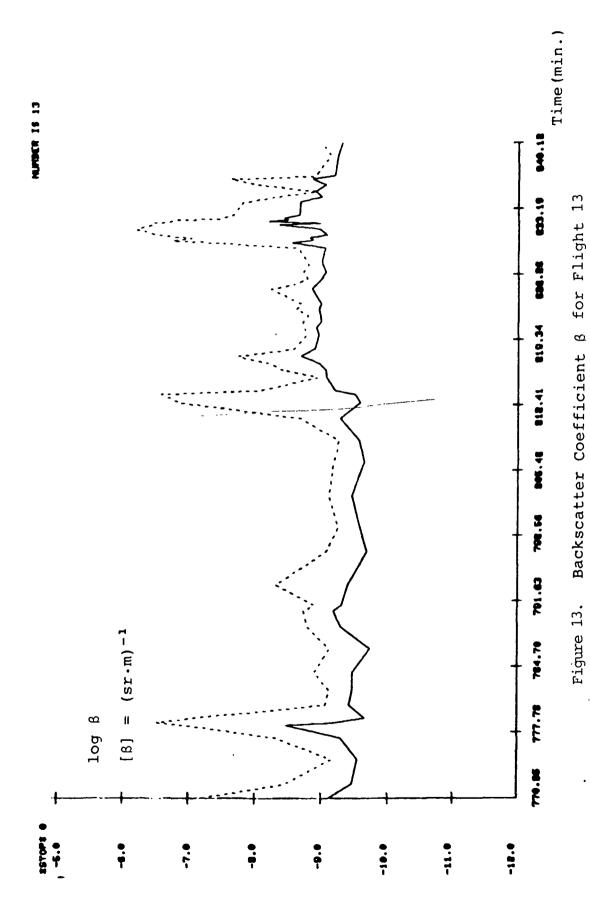


Figure 11. Statistical Error in Backscatter Coefficient as a Function of Number of Particles Processed for Flight 9





3.3 Anomalous Cases From Processed Data

Two pathological data prediction cases can be identified in Reference 2 and are shown in Figures 12 and 13. These cases are Flights 4 and 13. Flight 4 is unusual in that initially the single β predictions were much lower than the volume β and then about halfway through the flight the situation reversed. It was found that this was the case because the airspeed value was incorrect. Since airspeed is used to calculate flight length and then single particle β , the predicted results were much too low. Later on in the flight the problem was corrected and the predictions reversed the earlier trend.

Flight 13 also showed the trend of single β predictions less than the volume β predictions. A closer look at the computer run showed that the single β inversion program could not fit the histograms that were coming from the signal processor. The algorithm could not produce a fit because the lower signal bins were empty. The assumption made for all flights was that the threshold was set at 4 and therefore there would be counts in bin 5 and above. For flight 13 the counts did not pick up until around bin 30. This left a hole in the particle cross-section distribution which the inversion algorithm could not fit with a power law, and spurious predictions resulted.

4.0 Conclusions

The basis of the volume mode and single particle mode algorithms has been discussed. Programming and data handling techniques have been described. Some sources of systematic error in the previously processed flight data have been examined. Statistical uncertainty in the processed flight data has been evaluated.

A rescaling of the single particle gain function as a result of a more exact handling of the calibration has resulted in a decrease by 2.9 orders of magnitude of the backscatter coefficient in the single particle mode. This leaves a differential of about two orders of magnitude with the prediction of the volume mode method. Two possible explanations were offered for this difference: a) The single particle mode signal versus bin calibration for the processor is not correct. b) The particle density conditions during data collection did not conform to one particle per transit time. A further possibility is that the volume channel signal is either incorrect, or incorrectly interpreted.

The statistical errors for the two methods produced a maximum of $\pm .44$ orders of magnitude uncertainty for the volume mode and $\pm .54$ orders of magnitude uncertainty for the single particle mode. The processed results do not agree within these errors.

Studies of the effects of particle number fluctuations in

the processing of both modes show that, in order to reduce deviations of the local mean from a mean calculated with 10000 particles, and to reduce fluctuations of the data from the local mean, care must be exercised regarding the number of particles processed. To keep these errors near .1 orders of magnitude, this number of particles must be 1000 for the single particle mode, and 3000 for the volume mode. This requires a very short flight length (<1km) for particles with densities as low as one particle per 1000 cubic centimeters.

In order to better understand the behavior of LDV systems operating in these two modes, it is suggested that laboratory measurements on aerosol standards be accomplished with the inflight processor. The calibration techniques which were interrupted by the flight schedule could be continued, or perhaps the input or exhaust from a Knollenberg counter could be used. A comparison of the two methods needs to be accomplished and their limits of applicability determined in the laboratory. The methods are independent assessments of aerosol distribution characteristics and, operating together, offer a unique means of converging on more precise measurements.

REFERENCES

- Final Report on Contract No. NAS8-34337, Beta Experiment, June 1982, Applied Research, Inc.
- Final Report on "Added Scope" to Contract NAS8-34337, Beta Experiment, April 30, 1983, Applied Research, Inc.
- 3. M.J. Post, et. al., "Calibration of Coherent Lidar Targets", Applied Optics, 19, 15 August 1983, p.2828.

APPENDIX

Program Descriptions

Main Program - Sets up calibration data (except for gain versus area table); controls reading of data and number of particles/inversion; contains volume β computations and writes the output data file; computes flight length and single β after calling DATANAL.

Subroutine GETDAT - Reads the flight data from disk as 192 words (4 bytes long) and converts to 384 words (unpacks the data).

- Inputs None
- Outputs- BUF= 384 word array containing all data.

 DATA= 256 word array containing the counts in the signal processor for the single particle.

Subroutine DATANAL - Sets up the gain versus area table and then calls OPTIM to do the actual inversion.

- Inputs NT= Total # of particle counts
 M = # of signal bin segments
 MS= # of cross-section segments
- Outputs- WS= average cross-section

WV= average focal volume cross-section area

Subroutine OPTIM - does the inversion using three different fits

for the cross-section distribution: (1) power law (2) exponential (3) and log-normal. This routine iterates using each distribution type in turn to find the best match between the real single particle count histogram and the predicted count histogram.

- Inputs - B= first power law exponent trial

N= total # of particle counts

M= # of signal bin segments

MS= # of sigma (cross-section) segments

NI= # of integration steps

YY= array that contains scaled gain values for the "area" table

ARR= array that contains areas for corresponding array YY

- Outputs- WSS= predicted average cross-section

WVS= predicted average focal volume crosssectional area

Subroutine COEF2 - calculates the difference between two area values in an integration step.

- Inputs - I= index in SGL array (signal bin)

J= index in SIG array (cross-section)

K= integration step

DJ= Δ sigma for index J

- Outputs - C= area difference

M= # of cross-section segments

Subroutine LPICK - generate a good starting point for the lognormal solution.

- Inputs SIG= cross-section array

 MS= # of cross-section segments
- Outputs BP= selected mean value of log

 DB= mean value of log increment selected

 ALP= selected standard deviation of log

 DALP= standard deviation of log increment selected

Subroutine EPICK - generate a good starting point for the exponential solution.

- Inputs - SIG= cross-section array

BPl= selected power law fit from power law solution

MS= # of cross-section segments

- Outputs - BP= selected exponential power

DP= exponential power increment

Subroutine PROW - computes normalized probabilities for the power law, exponential and log-normal distribution depending upon the value of IP.

- Inputs BP= fit parameter for solution:
 - power law exponent
 - exponential exponential coefficient
 - log-normal mean value of log

- SIP= selected cross-section for which probability will be calculated
- SO= (required only for log-normal) selected
 standard deviation of log value
- A3= (required only for log-normal) normalization factor for the selected log-normal parameters

Function YLIN - linear interpolation function.

- Inputs N= # of data parts in array
 - XX= dependent variable that results is derived
 to be interpolated for
 - X= array of dependent variable values
 - Y= array of independent variable values for which interpolations are performed
- Outputs -YLIN= interpolated value

- 10,000 C - + + + + + + + + + + + + + + + + + +	NED PRIOR TO STARTING DATANAL. DISK FILE CONTAINING FLIGHT DATA) ALIBRATION DATA DISK FILE) ERMINAL OUTPUT) E DISK FILE CONTAINING PLOT DATA) E DISK FILE CONTAINING PLOT DATA) ***********************************	
20,000 C THESE FILES MUST ALL BE A 50,000 C 1, SET FILES MUST ALL BE A 60,000 C 2, SET FILES MUST ALL BE A 70,000 C 3, SET FILES MUST ALL BE A 70,000 C 3, SET FILES MUST ALL BE A 70,000 C 3, SET FILES MUST ALL BE A 70,000 C 3, SET FILES MUST A 70,000 C 110,000 C 5, SET FILES MUST A 70,000 C 6, SET FILES MUST A 70,000 C 7, SET FILES MUST A 80,16,32,64,64,60,000 C 7, SET FILES MUST A 80,10,32,64,64,60,000 C 7, SET FILES MUST A 80,10,32,64,64,64,60,000 C 7, SET FILES MUST A 80,10,000 C 7, S	VED PRIOP TO STARTING DATANA ALIBRATION DATA DISK FILE) ERMINAL OUTPUT) ERMINAL OUTPUT) ERMINAL OUTPUT) ENDISK FILE CONTAINING PLOT BOISK FILE CONTAINING PLOT SI.FN SI.FN SSED, BUF (384), CAL(26,51) (51), YBUF (51), XSGL(22) (51), YBUF (51), XSGL(22) (51), THRESH/4/, M/6/, MS/6/	
- 40.000 C 3. SET F:10=M#; IN (M# - 60.000 C 3. SET F:10=MF; OUT (C - 70.000 C 3. SET F:13=M#; OUT (C - 100.000 C 5. SET F:13=M#; OUT (C - 130.000 C 8*********************************	18K FILE CONTAINING FLIGHT ALIBRATION DATA DISK FILE) ERMINAL OUTPUT) F DISK FILE CONTAINING PLOT BOTTON FILE CONTAINING PLOT SI,FN 5.WI 556),BUF (384),CAL(26,51) (51),YBUF (51),XSGL(22) (51),YBUF (51),XSGL(22) (51),YBUF (51),XSGL(22) (51),YBUF (51),XSGL(22)	
- 60.000 C 2. SET F:12/CALFIL4;IN - 70.000 C 3. SET F:13/P##;0UT (C - 10.000 C 5. SET F:13/P##;0UT (C - 110.000 C 5. SET F:13/P##;0UT (C - 130.000 C 5. SET F:13/P##;0UT (C - 240.000 C 5. SET F:13/P##;0UT (C - 250.000 C 5. SET F:13/P##;0UT PRICESSING PARAM - 250.000 C 7 SET F:13/P##;0UT PRICESSING PARAM - 300.000 C 7 SET F:13/FHE DATA REC - 250.000 C 7 SET FIRE SIGNAL BING PARAM - 310.000 C 7 SET FIRE SIGNAL PROCESSING PARAM	ALIBRATION DATA DISK FILE) ERMINAL OUTPUT) E DISK FILE CONTAINING PLOT B DISK FILE CONTAINING PLOT SI FN SY WI (51), YBUF (51), XSGL (26,51) (51), YBUF (51), XSGL (22) (51), THRESH (4, M/6, MS)6/	
- 70.000 C	EMMINAL OUTPUT) FEMINAL OUTPUT) FEMINAL OUTPUT) FARMINAL OUTPUT) SI,FN 556),BUF (384),CAL (26,51) (51),YBUF (51),XSGL (22) (51),YBUF (51),XSGL (22) (51),YBUF (51),XSGL (22) (51),YBUF (51),XSGL (22)	
90.000 C S. SET F.13/P##;0UT (100.000 C *******************************	**************************************	
- 100,000 C *******************************		
- 120.000 C COMMON/OPT/DS(22),NP(2 - 150.000 COMMON/OPT/DS(22),NP(25 - 150.000 DIMENSION DATA(256),TS - 170.000 DIMENSION ISN(256),TS - 170.000 DATA XSG/-57.75,-56.0 - 200.000 DATA XSG/-57.75,-56.0 - 210.000 C XSG/THE SIGNAL ARR - 210.000 C XSGL THE SIGNAL ARR - 250.000 C XSGL THE SIGNAL BIN - 250.000 C TRECTED - 250.000 C TRECTED SING PARAN - 250.000 C TRECTED SING PARAN - 250.000 C TRECTED SING PARAN	1 60 0 00 00 00	A
150.000 COMMON/OPT/DS(22),NPC2-150,000 INTEGER BUF, DATA (256), IS 100.000 DIMENSION IXBUF(26),XN-170.000 DIMENSION IXBUF(26),XD-170.000 DATA XSGL/-57.75,-56.00-200.000 DATA XSGL/-57.75,-56.00-200.000 C XSGL IS THE SIGNAL APR 250.000 C XSGL IS THE SIGNAL APR RECTED CONTINUAL APROCESSING PARAM 250.000 C INPUT PROCESSING PARAM 250.000 C M IS THE NUMBER OF SIGNAL APR 350.000 C M IS THE NUMBER OF SIGNAL APRAM 350.000 C M IS THE NUMBER OF SIGNAL APRAM 350.000 C M IS THE NUMBER OF SIGNAL APRAM 350.000 C M IS THE NUMBER OF SIGNAL APRAM 350.000 C M IS THE NUMBER OF SIGNAL APPARAM 350.000 C M IS THE SIGNAL APPARAM 350.000 C M IS	60 A	
- 150.000	- M	the deputation and restrict to the state of
- 160.000 DIMENSION DATA(256), IS - 170.000 DIMENSION INBUF(26), XN - 190.000 DATA XOS/4,6,16,35,64, - 210.000 C XSGL IS THE SIGNAL APR - 250.000 C XSGL IS THE SIGNAL APR - 250.000 C XSGL IS THE SIGNAL APR - 250.000 C XOS IS THE SIGNAL APR - 250.000 C XDS IS THE SIGNAL ARE - 250.000 C XDS IS THE DATA REC - 310.000 C INPUT PROCESSING PARAN		
- 170,000 DIMENSION IXBUF (26),XN - 180,000 DIMENSION ISN (256), XD - 190,000 DATA XOS/4,8,16,32,64, - 200,000 C XSGL IS THE SIGNAL ARR - 240,000 C XOS IS THE SIGNAL ARR - 250,000 C XOS IS THE SIGNAL BIN - 260,000 C XOS IS THE SIGNAL BIN - 260,000 C XOS IS THE DATA REC - 290,000 C INPUT PROCESSING PARAN - 310,000 C M IS THE NUMBER OF SIGNAL BIN - 320,000 C M IS THE NUMBER OF SIGNAL		de des a
- 190.000 DATA XSGL/-57.75,-56.0 - 200.000 DATA XSGL/-57.75,-56.0 - 210.000 C XSGL IS THE SIGNAL APR - 230.000 C XDS IS THE SIGNAL BIN - 260.000 C XDS IS THE SIGNAL BIN - 260.000 C XDS IS THE DATA REC - 260.000 C INFC IS THE DATA REC - 290.000 C INPUT PROCESSING PARAN - 310.000 C M IS THE NUMBER OF SIG		
- 200.000 C XSGL IS THE SIGNAL APR - 210.000 C XSGL IS THE SIGNAL APR - 240.000 C XDS IS THE SIGNAL BIN - 250.000 C XDS IS THE SIGNAL BIN - 250.000 C (1-4 , 5-12 , 13* - 270.000 C IREC IS THE DATA REC - 290.000 C INPUT PROCESSING PARAN - 310.000 C W IS THE NUMBER OF SIG	_	
- 210,000 C XSGL 19 THE SIGNAL APR - 250,000 C FOR THE SELECTED - 250,000 C XDS 19 THE SIGNAL BIN - 250,000 C (1-4 , 5-12 , 13* - 250,000 C IREC IS THE DATA REC - 290,000 C INPUT PROCESSING PARAW - 310,000 C M IS THE NUMBER OF SIG		
- 250,000 C XSGL IS THE SIGNAL ARR 250,000 C XDS IS THE SIGNAL BIN 250,000 C XDS IS THE SIGNAL BIN 270,000 C IREC IS THE DATA REC 270,000 C INPUT PROCESSING PARAM 210,000 C M IS THE NUMBER OF SIG	**************************************	The state of the state approximate of the state of the st
- 240.000 C XDS IS THE SIGNAL BIN 250.000 C (1-4 , 5-12 , 13-250.000 C IREC IS THE DATA REC 290.000 C INPUT PROCESSING PARAM = 310.000 C M IS THE NUMBER OF SIG	ND CONTAINS THE DBSM VALUES AL BINS ON THE PROCESSOR.	
- 250,000 C XDS IS THE SIGNAL 260,000 C (1-4, 5-12)		
- 270.000 C IREC IS THE DAT - 290.000 C INPUT PROCESSING - 310.000 C N IS THE NUMBER O	Y AND CONTAINS THE SIGNAL BIN RANGES	
- 290.000 C IREC IS THE DAT - 290.000 C INPUT PROCESSING - 310.000 C M IS THE NUMBER O		
- 300.000 C INPUT PROCESSING - 310.000 C W IS THE NUMBER O	COUNTER	!
- 310,000 C H IS THE NUMBER OF SIGNA	3 / ASSUMPTIONS :	
		1 *************************************
- 330.000 C	:	
320,000 C HOUSE THE NUMBER OF BIGHA		
- 360.000 C ITHRESH IS THE THRESHOLD S	ETTING ON THE PROCESSOR. (ITHRESH # 4)	
380.000		
- 340,000 C		
# C 000*007 + 0		
- 420,000 C R 3 E 16 H	TV IN STREET, MARKET AND	
3 - 430.000 C # 4 # 32 BI		
4 440.000 C & S E 64 BINS	· · · · · · · · · · · · · · · · · · ·	
5 - 450,000 C # 6 # 127 BINS	10年1日 11年1日	
7 + 470.000 C CORRE	L BIN CONTAINS ALL PARTICLES NAL.	
A - 480.000 C		
- 300.000 C XSGL - SIGNAL BIN VALUES T	HAT CORRESPOND TO SIGNAL BINS.	
		::
		TO BE STREET SERVICE AND AS THE SERVICE SERVICE AND ASSESSMENT ASS

)

3

١

)

					7 10 10 40 4 David		:			: !																	;	
CANNOT HANDLE THESE CASES	17 (BU	TREC + 1	150	IF (DATA(1), EQ, 1E+) 3TOP	GO TO S	ا جالي	C 2 !	F. F.		BUF (4) +	(7) .LE.	# BUF(2) +	(3) 6)	= BUF(1) = BUF(2) +	IF(2) - BUF	+ (3600	# KF + N (KF	1 KF = 1000	ONTINUE	KKK B KKK + 1		LATER, THE NOISE IS SUBTRACTED FROM ISUM	S AN INTEGER APPAY	COUNTS FOR EACH BIN.	VB IS THE VOLUME BETA COUNT FOR THIS RECORD.	IFG IS THE IF GAIN FOR THIS RECORD.	SVOL IS THE RUNNING SUM OF THE VOLUME RETA COUNT.	
3 - 1030	1050.000	9 - 1080.00	1100.00	20.00 20.00	4 - 1140.000	- 1150.00	1170	1200.00	1220.000	1240.000	1260.000	1280,000	130 - 1300,000 71	1310.000	1330.00	1350.00		- 1380,00	1400.00	1420.000	143	5 - 1450,000	6 - 1460.0 7 - 1470.0	8 - 1480,000	1500.00	52 - 1520,000	000	

:

!

!

		:					:												!
ISN IS AN INTEGER ARRAY CONTAINING THE RUNNING TOTAL OF PARTICLE. COUNTS FOR THE NOISE DATA IN EACH BIN.	INDISE IS THE TOTAL NUMBER OF PARTICLE COUNTS FOR THE NOISE DATA. LATER, INDISE IS SUBTRACTED FROM ISUM.	00 S0_I#1,256 (S0M=181M + DATA(I)	1981N(I) = ISBIN(I) +DATA(I)	IFG # RUF (25) N9UM # N9UM + BUF (17) SVOL # SVOL + V8	ALL SUBROUTINE GETDAT TO READ THE NOISE DATA RECORD.	INDISE = 0 ALL GETDAT(BUF, DATA)	INECRIREC+1	0	ING E BUF(25)	# \$\$VOL + VB	00TPUT 18UM,1N018E,18B1N(296) IF (18UM , LE. 1000) GO TO S	10000 PARTICLE COUNTS OR ABOVE MUST BE OBTAINED BEFORE DATA IS SENT TO	RION_ALG	KCM BUET (2) KCM RUET (3)	80F (4	# KCS # 1 # KCF + 1000	1C = (KCF-K9F)/2 [K93_LEKC9] G0_IO_270	H KCX + 1	
5 - 1550,000 C. 6 - 1560,000 C. 7 - 1570,000 C.	9 - 1590,000 C 0 - 1600,000 C 1 - 1610,000 C	2 - 1620,000 C 3-1630,000 4 - 1640,000	00 50 00 00	1690,000	1720.0	1750,000		1810.000 60 1810.000	1840.000	- 1860.000 - 1870.000 C	- 1880,000 C - 1890,000	1 - 1910,000 C	= 1940,000 C = 1940,000 C	1960,000	1980,000	- 2010.000 - 2010.000	- 2020,000 269 - 2030,000	000000000000000000000000000000000000000	

)

;

>

)

:

)

							:		······································		· I statement of the st					· · · · · · · · · · · · · · · · · · ·	· · · · · · · · · · · · · · · · · · ·				d to the same supple of the same to be designed to be supple to the same to th	4										•	and the state of t				, , , , , , , , , , , , , , , , , , , ,				
XCS *XXS)//	LE. KCP)	•	C / C / C / C / C / C / C / C / C / C /	A NOT I	FRAC	100	000		NOTICE TO 112		The state of the s	i		0	a a a	!	VB, IFG, BUF(17)			OR OF 500 CAME FROW A CONVERSATION WITH WILLIAM JONES.	 [LAL(//101Pb/1)/500	THE ACCUMULATED VOLUME BETA COUNT FOR THE		CASHINE SETA LINEAR	L B DAYA + NOTSE.		AVERAGE VOLUME BETA COUNT FOR THE DATA.	VOLUME BETA LINEAD NOTOF STONAL	מרים גוויים	E FINAL VOLUME BETA FOR THIS DATA SET.		D VOLUME RETA(RVB) IS MULTI	L KETLELIANCE PAKAMELEK = "OLO)	AN AT 10 METERS AT THE EAT	J AND THEN DIVIDED B	# 0.6407), SEE APPLIED	S FOR COMPLETE		1.502	*** *** *** *** *** *** *** *** *** **	
270 NSFC9 # (IF (KOM.	u X)	37.1	a MEN 177	(X III)	IF (L		+ MNX # MNX	+ 22 H 27 166	1 8 1	KOM III KOM	332 LM E KSM +	IF (LM .LT		+ HOX B HIT DEE	OUTPUT IREC	WRITE (6, 1	138 FORMAT(2,1#1 005 00		E (1) TONT	C VB 13	U (No rest		C RVB IS THE	THE PLANT		DO C FINALB IS THE		ى ر		SANDPAPE	7 #)	C AT 10 ME	C RESEARCE				
	90	60		Ļ	ı e	Į a	• ;	• 1			•		•	• 🙀	•	Į.		1	e ie	1	١		• }	• •	ı şə	•	•	• •			• [8 1	٠ •		ļ.	•	4	• [1	•	ţŧ	

64 - 2610,000 C 64 - 2640,000 C 65 - 2650,000 C 67 - 2650,000 C 67 - 2650,000 C 68 - 2660,000 C 72 - 2720,000 C 73 - 2720,000 C 74 - 2740,000 C 75 - 2750,000 C 76 - 2750,000 C 77 - 2750,000 C 78 - 2750,000 C 79 - 2750,000 C 80 - 2860,000 C 80 - 3860,000 C 80 - 3	- 259	CONVERT_VB_TO_DBMS_(_NOISE_DATA_).	
2870.000 CONTAIN STORY OF ANY S	2610,000	E YLIN(SI, VB, YBUF, XNOI	
2850.000 C CGNVEPTWR TO DENS (DATE) 1, 2850.000 C CGNVEPTWR TO DENS (DATE) 2, 2850.000 C SGNVETTREQUING AND TO THE COMMISSION AND THE COMMISSION A	- 2620.000	/OL/NSUP	
2500.000 VSIGURATINGS, FAVORES DEPENDENT OF COMMAND OF CONTROL OF	2640.000	ONVERT RVR TO DRMS (DATA)	t
270,000 C UITPUT GRANGEN (1,1,402.PR24E6,6407) 270,000 C UITPUT FINALE WISTGL, VNS, SYOL, SVOL,	- 2660.000	YBUF, XNOISE	
7270.000 (11917 DBMS)	o į	0.)-10**(UB	· · · · · · · · · · · · · · · · · · ·
2700000	- 2690,000	.84249	
270.000	2710 000	OUTPUT DEWNS OUTPUT EINALBLUGGOVOL GVOL GOVOL GVOL	
- 2700,000 C	- 2720,000		
2790.000	- 2730.000	B IS USED TO EXTRACT A NOISE VALUE	•
2770.000	2750 000	IS SET OF SINGLE PARTICLE D	
7270.000 C 11HESS - THE NOTSE IN DBMS 7270.000 C 11HESS - THE BIO WHERE THE SIGALIS ARE 7270.000 C 11HESS - THE BIO WHERE THE SIGALIS ARE 7270.000 C 11HESS - THE BIO WHERE THE SIGALIS ARRAY 7270.000 C	- 2760.000	HE CALIBRATION DATA (CAL(I,J))	
2800.000 C	- 27.70.000	THE NOTSE	
- 2800.000 C NP - THE WINDED - ABOVE ITHRESH CONTAINS - 2800.000 C NP - THE WINDER OF PATITLES ARRAY - 2800.000 C CONTAINS WHERE OF PATITLES ARRAY - 2800.000 C CONTAINS WHERE OF PATITLE HITS IN THE WOISE - 2800.000 C CALCULATION (DEWIN) BECAUSE THIS IS THE SINGLE - 2800.000 C CALCULATION (DEWIN) BECAUSE THIS IS THE SINGLE - 2800.000 C CALCULATION (DEWIN) BECAUSE THIS IS THE SINGLE - 2800.000 C CALCULATION (DEWIN) BECAUSE THIS IS THE SINGLE - 2800.000 C CALCULATION OF SINGLE PATITLE - 2800.000 C DEPARATION (DEWIN) SINGLE PATITLE - 2800.000 C CONTAINS IN THE BIN RANGES SELECTED FROM	- 2790,000	SH # THE BIN WHERE THE SI	
2850.000 C THE FACTOR 1.57.86 APPEARS IN THE NOISE 2850.000 C THE FACTOR 1.57.86 APPEARS IN THE NOISE 2850.000 C THE FACTOR 1.57.86 APPEARS IN THE NOISE 2850.000 C THE FACTOR 1.57.86 APPEARS IN THE NOISE 2850.000 C THE FACTOR 1.57.86 APPEARS IN THE NOISE 2850.000 C THE FACTOR 1.57.86 APPEARS IN THE NOISE 2850.000 C THE FACTOR 1.57.86 APPEARS IN THE NOISE 2850.000 C THE FACTOR 1.57.86 APPEARS IN THE NOISE 2850.000 C THE FACTOR 1.57.86 APPEARS IN THE NOISE 2850.000 C THE FACTOR 1.57.86 APPEARS 1.81 APPEARS 2.50.000 C THE NOISE PRAFFICLE 2850.000 C THE FACTOR 1.57.86 APPEARS 2.50.000 C THE NOISE PARTICLE 2850.000 C THE FACTOR 1.57.86 APPEARS 2.50.000 C THE SINGLE PARTICLE 2850.000 C THE FACTOR 1.57.86 APPEARS 2.50.000 C THE SINGLE PARTICLE 2850.000 C THE FACTOR 1.57.86 APPEARS 2.50.000 C THE SINGLE PARTICLE 2850.000 C THE SINGLE PARTICLE 2850.000 C THE FACTOR 1.57.86 APPEARS 2.50.000 C THE SINGLE PARTICLE 2850.000 C THE	- 2800.000	THRESHOLDED - ABOVE ITHRESH CONTAINS	
2890,000 C THE FATOR LISTS BE PREATED. HITS LIN LINE 2890,000 C THE FATOR LISTS BE PREATED. HITS IN THE WOISE 2890,000 C THE FATOR LISTS BE PREATED. LAID 2890,000 C THE FATOR LISTS BE THE SINGLE 2890,000 C THE FATOR LISTS BETWEEN THE SINGLE 2890,000 C THE FATOR LISTS BETWEEN THE SINGLE 2890,000 C THE LINE RESIDENCE THAT LEACH PROCESSOR BIN 2890,000 C THE LINE RESIDENCE THAT LAID LEAD THE LINE RESIDENCE THAT LAID LEAD THE SINGLE PARTICLE 2890,000 C THE LINE RESIDENCE THOM TO SINGLE PARTICLE 2890,000 C THE SINGLE SELECTED FROM 2890,000 C THE SINGLE PARTICLE 2890,000 C THE SINGLE PARTI	2820-000	THE NIMBER OF DARTIFIES ADDA.	1
286,000 C THE FACTOR 1.55.86 APPEARS IN THE NOISE 2860,000 C THE FACTOR 1.55.86 APPEARS IN THE NOISE 2860,000 C CALCULAINONDOWN DECLORES THIS 19 THE SINGLE 2870,000 C OFFERENCE IN BANDWIND THE SINGLE 2870,000 C DRATICLE DATA AND THE JUNEE CHANNEL DATA 2970,000 C DRATICLE LINEAR SIGNAL VALUE THAT EACH PROCESSOR_BIN 2970,000 C DRATICLE LINEAR SIGNAL VALUE PARTICLE 2970,000 C DRATICLE LINEAR SIGNAL VALUE PARTICLE 2970,000 C COUNTY IN THE BIN RANGES SELECTED_FROM 2970,000 C COUNTY SG. 2970,000 C COUNTY	2830,000	CONTAINS NUMBER OF PARTIC	
2850.000 C THE FACTOR 1.57.86 APPEARS IN THE NOISE 2870.000 C TACLULATION DERANNE FILS IS THE SERVE. 2870.000 C DIFFERENCE IN BANDWIDTH BETWEEN THE SINGE 2870.000 C DIFFERENCE IN BANDWIDTH BETWEEN THE SINGE 2870.000 C DIFFERENCE BETA NOISE FACTOR (LOBMS). 2870.000 C DIFFERENCE DATA AND THE VOLUME CHANNEL DATA 2870.000 C DEWIND IS THE SINGLE BETWEEN THE EACH PROCESSOR BIN 2870.000 C DOWN'S IN THE BIN RANGES SELECTED FROM 2870.000 C COUNTS IN THE BIN RANGES SELECTED FROM 2870.000 C COUNTS IN THE BIN RANGES SELECTED FROM 2870.000 C COUNTS IN THE BIN RANGES SELECTED FROM 2870.000 C CONTINUE	- 2840.000	SELECTED PINS	en an indexed a company of the design of the control of the contro
2870.000 C CACCUATION (08 WIN.) BECAUSE THIS IN THE SINGLE 2870.000 C OIFFERENCE IN BANDAID THE SINGLE 2870.000 C PARTICLE DATA—NO UNDE CHANNEL DATA 2870.000 C PARTICLE DATA—NO UNDE CHANNEL DATA 2870.000 C DEPUNDE SINGLE BETA NOISE FACTOR (DBMS). 2870.000 C DBWNN 1S. THE SINGLE BETA UNDE FACTOR (DBMS). 2870.000 C DGMS SPONS TO. 2870.000 C COUNTS IN THE BIN RANGES SELECTED FROM 2870.000 C COUNTS IN THE BIN RANGES SELECTED FROM 2870.000 C COUNTS IN THE BIN RANGES SELECTED FROM 2870.000 C COUNTS IN THE BIN RANGES SELECTED FROM 2870.000 C COUNTS IN THE BIN NANGES SELECTED FROM 2870.000 C COUNTS IN THE BIN NANGES SELECTED FROM 2870.000 C COUNTS IN THE BIN SANDAINO (DBMS) 10) 2870.000 C COUNTS IN THE BIN SANDAINO (DBMS) 10) 2870.000 C COUNTS IN THE SH + 1 2870.000 C COUNTS IN THE SH +	2850,000	1	
2890,000 C OIFFERENCE IN BANDWIDTH BETWEEN THE SINGLE 2890,000 C PARTICLE DATA_AND_THE_VOLUME_CHANNEL DATA 2890,000 C PARTICLE DATA_AND_THE_VOLUME_CHANNEL DATA 2890,000 C DBWNN_IS_THE_SINGLE_BETA_NOISE FACTOR_(_DBWS_)_ 2890,000 C DBWNN_IS_THE_SINGLE_BETA_NOISE FACTOR_C_DBWS_)_ 2890,000 C DBWNN_IS_THE_SINGLE_BETA_TICLE 2890,000 C DBWNN_IS_THE_SINGLE_BANTICLE 2890,000 C DBWNN_IS_THE_SINGLE_BANNI/IO) 2890,000 C DBWNN_IS_THE_SINGLE_BANNI/IO) 2800,000 DBWNN_IS_THE_	2870.000	۔ بی	
- 2890,000 C	- 2880.000	1 H	. 4 . 4 . 4 . 4 . 4 . 4 . 4 . 4 . 4 . 4
- 2910.000 C	2900,000	PARTICLE DATA AND THE YOLUME CHANNEL DATA	
- 2920.000 C	• ;	THE SINGLE BETA NOISE	
- 2950,000 C	- 2920.000		
- 2950.000 C - 2960.000 C - 2960.000 C - 2970.000 D - 2020.000 D - 202	000 0000	(I) ISTHE LINEAR SIGNAL V	
96 - 2960,000 C NP (J) IS THE ACCUMULATION OF SINGLE PARTICLE COUNTS IN THE BIN RANGES SELECTED FROM ARRAY XD3. 97 - 2970,000 C ARRAY XD3. 98 - 2990,000 C CNVEIO**(DBMN9/10) 01 - 3010,000 C CNVEIO**(DBMN9/10) 02 - 3020,000 C CNVEIO**(SEL(I)*-DBMNN/10) 04 - 3020,000 C CNVEIO**(XSCL(I)*-DBMNN/10) 04 - 3020,000 C CNVEIO**(XSCL(I)*-DBMNN/10) 05 - 3050,000 C CNVEIO**(XSCL(I)*-DBMNN/10) 06 - 3060,000 C CNVEIO**(XSCL(I)*-DBMNN/10) 07 - 3050,000 C CNVEIO**(XSCL(I)*-DBMNN/10) 08 - 3060,000 C CNVEIO**(XSCL(I)*-DBMNN/10) 09 - 3060,000 C CNVEIO**(XSCL(I)*-DBMNN/I0) 09 - 3060,000 C CNVEIO**(XSCL(I)*-DBMNN/I0) 00 - 3100,000 C CNVEIO**(XSCL(I)*-DBMNN/I0) 00 - 3100,000 C CNVEIO**(XSCL(I)*-DBMNN/I0)	2950.000		
98 - 2990.000 C CNVEIO+*(DBMN9/10) 99 - 2990.000 C CNVEIO+*(DBMN9/10) 91 - 3010.000 DBMNN=10+LDG10CCNV+1.5/.86) 90 - 3020.000 DBMNN=10+LDG10CCNV+1.5/.86) 91 - 3010.000 DBMNN=10+LDG10CCNV+1.5/.86) 92 - 3020.000 C CNVINUE 93 - 3020.000 C CNVINUE 94 - 3050.000 C CNVINUE 95 - 3050.000 C CONTINUE 96 - 3060.000 NP(JJ) = 0 96 - 3060.000 DD 66 JJ=1.22 96 - 3060.000 DD 65 J=1.M+1	96 - 2960,000	(J) IS THE ACCUMULATION OF	
99 = 2990,000 C	2980.000	ARRAY XDO.	:
00 = 3000,000	- 2990,000		
02 - 3020,000		*(08EN9/10)	
03 - 3030,000 SGL(I) = 10**((XSGL(I)-DBMNN)/10) 04 - 3040,000 210 CONTINUE 05 - 3050,000 C	٠	7 0 1 0	The state of the s
04 - 3040.000 210 CONTINUE 05 - 3050.000 C	03 - 3030,000	10**((XSGL(I)-DBMNN)/	
05 = 3050,000 C	04 - 3040,000 21		
07 = 3070,000 08 = 3070,000 09 = 3080,000 10 = 3100,000 09 = 5090,000 09 = 5090,000 09 = 5090,000 09 = 5090,000 09 = 5090,000 09 = 5090,000 09 = 5090,000	3050,000	DUTPUT SGL	
08 - 3080.000 09 - 3090.000 66 CONTINUE 10 - 3100.000 00 55 JHI.M+	07 - 1070	1177EST +	
09 = 3090,000 66 CONTINUE 10 = 3100,000 00 55 Jal,M+	08 - 3080.	0 = ()	THE STREET WHITE AND DESCRIPTIONS IN THE PROPERTY OF THE PROPE
10 - 3100,000 DO 55 JBI,R+	9 000 0000 - 00	JE J	
	10 - 3100.00	0 55 Jai,M+	
			· · · · · · · · · · · · · · · · · · ·
		ARTER SERVICE COME AND THE SERVICE SER	TO A SPACE MAN SHEET STREET MANAGEMENT SPACE STREET STREET STREET SPACE STREET STREET STREET SPACE STREET STREET STREET SPACE STREET ST

411 - 4110 000	アメルス スク・ション	
12 - 3120 00	00 10 1 = K.KK	
313 - 3130,000	U) + ISBIN(I)-ISN(I)	
14 - 3140,000 10	10E	
15 = 3130.000 55	CONTINIE	
- 3170,000 C	NOT NIBOL AN INGLICA	
18 - 3180,000		
1200 000 0	CMAG TUAT COORDING	
21 - 3210.000 C	VERTO FROM CERTO TO MICROSEN	
3220.000 C	9 THE STNGLE PARTICL	· · · · · · · · · · · · · · · · · · ·
700	90 500 J # 167 + 1	· · · · · · · · · · · · · · · · · · ·
25	000000000000000000000000000000000000000	
26 - 3260,000 C		
_ 3270.000	SIG IS THE CROSS SECTION ARRAY.	
	FUND SOCIAL FOR TAXABLE OF	
30 - 3300,000	110 3 WALLES	
7.5	SIH IS THE LARGEST CROSS SECTION.	
32 - 3320,000		
M.		the control of the co
	2011	
36 - 3360-000		
337	SUM	
38 -		
339 - 3390.000	CALL SURROUTINE DATANAL TO DO ACTUAL INVERSION.	1
40 - 5400.000		
47 - 3420 000	FIR - THE FLADREN TIVE IN SECO COD MUTCH DATA	
343 = 3430,000 C	WAS TAKEN	
44 - 3440.000	- THE FLIGHT LENGTH IN WE	
45 - 3450.000	SINGLES - THE SINGLE PARTICLE BETA	;
47 - 3470,000	SOUNDER MICHONA CONTROL TON OF SOUNDER MICHONA	
48 - 3480,000	WV - THE AVERAGE SIZE OF THE TRANSVERSE	. As a deciding to a suppose of the
49 - 3490.000	SECTION OF FOCAL VO	
50 - 3500	VERSIO	· · · · · · · · · · · · · · · · · · ·
000 000 000		and the state of t
51 - 1510-0	2	
54 - 3540,000	ELS B KS + KF/1000.	to the state of the second of
55 - 3550,000	FLTL a KBUF/KKK*, 5144*ELS	
56 - 3560.000	IF(WV.E0.0) WV#1.E-30	
57 - 3570,000	SINGLEB # ISUM/4/3,14159265359/FLTL/WV*MS	
28 - 3580.000 68 - 4686.000	DUTPUT SINGLEB, FLTL, FLS	•
7.000,000	MKITE(6,702) BUF(9), BUF(10), BUF(11)	
20/ 0000 105	FORFAL(IX, DATE ', IZ, '*', IZ' ', 'IZ)	
2 - 3620,000 703	THAT I COVIDE LINE WOLLD AND THE STATE OF TH	
	A A A A A A A A A A A A A A A A A A A	

18K AS 192 WORDS. FRE ARE 384 WORDS. (256), BUFF (192), BUF (384)).1AB)	S,FLTL,ELS,WV K AS 192 WORDS. E ARE 384 WORDS. 56), BUFF (192), BUF IAB)						
	GETDAT(BUF, DAT CETDAT(BUF, DAT CETDAT(BUF, DAT CETDAT(BUF, DAT CONTAIN STHEN CONVERTE S	, WS, FLTL, ELS, WV	A 102	ERE ARE 384 WORDS. (256), BUFF(192), BUF(364) 0,1AB)			

		***		contact to a contact to the contact																	· compression control of the first first facilities and the control of the contro				s destructions to the second s				. the design of the transfer o															To Commission of the Commissio				•	:		
 CF & CURRENT TIME FRACTIONS	ST 8 START OF RECORD HOUR	THE CLANT OF RECORD M	H START OF MECURO S	# STANT OF MECOND PRAC	T B NUMBER BEFORE DI	B DISCRIMINATOR THRESHOLD	FBI = NUMBER BEFORE FORSARD/AFT IDENTIFIER	= FORWARD/AFT IDEA	DATA B DATA	CONTRICTION STRING			CMABLE (2)	\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\		0.7 to 0.0 to 0.			0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0		Of table 12 A.V.	1.17 このは、1.17 このは、1.	FIRE FOR THE PROPERTY OF THE P	SH. SH.	START	(6,402) CH, CM, CS, CF	, 405) BUF (15)	VOLUME BETA INT.	FORMAT(IX, END TIME: ", 4110)	01	FORMAT(1X, "DISCRIMINATOR THRESHOLO ", 110)	MALLE LOCATION BOLL (25)	IN THE CALK . LICALIO		(ID(I), I=1,20)	(6,120) (DATA	,16(1x,818,/))	1.67.500) RET		END			SUBROUTINE DATANAL (NT, M, MS, WV)		CTION OF THIS SUBROUTINE	ANTA CONVERTINE TAIL TOR THE CALL TO SUBROL	THE CACCOCATIONS DONE				
5 - 4160.000	16 - 4170.00	000 000 7 - 71	000 0000	000.0025	20 - 4210,000	1 - 4220,000	22 - 4230,000	- 4240.000	4250,000	4260,000	4270,000	4280.000	4290	20.000000000000000000000000000000000000	10 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	71 1 1120	0.0267	74 - 4440.0	0 0520	35 - 4360.0	0.0220	0.0864	4390.0	4400,000	0.0100	ပ ဂ	- 4430.000 C	- 4440.000 4	- 4450.000 40	- 4460.000 C	000	17.00		50 - 0510,000	200	52 - 4530,000	53 - 4540.00	54 - 4550.00	4560.00	26 - 4570,000	7 - 4580.000	28 - 4590,00	4600.000	000 - 4610,000	000.0207	00.000000000000000000000000000000000000	000 0597 - 79	65 - 4660,000	66 - 4670.0	*** *** *******************************	

;

· :

)

)

1						: 1							1 1 1
VALUES THAT CORRESPOND TO THE AREAS UNDER THE AREA CURVE. ARR VS. SIGMA / Y IS THE UNSCALED AREA CURVE.	DS IS AN APPAY CONTAINING THE PANCE OF SIGMA VALUES IN THE SIG APPAY.	AR IS THE FINAL ARRAY OF AREA VALUES THAT CORRESPOND TO	SRMN_IS_THE_MINIMUM_SIGNAL / NOISE_/ SIGMA_VALUE_REQUIREO FROM THE AREA TABLE.	SRMX IS THE MAXIMUM SIGNAL / NOISE / SIGMA VALUE REQUIRED FROM	TRANS IS THE MULTIPLICATIVE FACTOR THAT CORRECTS THE AREA CURVE SO THAT THE AREAS CORRESPOND TO THE PROPER S/N/SIGMA	0100	OMMONZARE1ZAR(10 OMMONZCOEZZ81G(2	OMMON/88/X(2),Y(2) ATA PW.ETA,BW.RG.F -E+6.046.10.10.7 TA PI.HP.CL.FLDA.	**************************************	.28E5,2.27E5,2.25E5,2.22E5,2.20E5,2.19E9,2.16E5, .12E5,2.11E5,2.10E5,2.1E5,2.05E5,2.01E5,1.98E5,1. .89E5,1.85E5,1.80E5,1.7E5,1.72E5,1.46E5,1.46E5,2.4.60E5,1.	265,1,2565,1,1965,1,1365,1,0765,1,0365,9,764,1,066,1,0	A. O. E. J. A. E. E. J. A. E. E. J. E.	A 5.64.60.465.71.871.891.895.90.11.871.871.871.871.871.871.871.871.871.
69 - 4570,000 70 - 4710,000	72 - 4730.000	4750.000	76 = 47/0.000 77 = 4780.000 78 = 4790.000 79 = 6800.000	81 - 4810.000 81 - 4820.000	83 - 4840 00 84 - 4850 00 85 - 4860 00	86 - 4870,000 87 - 4880,000 88 - 4890,000	92 - 4920.00	93 = 4940 00 94 = 4950 00 95 = 4960 00 96 = 4970 00	99 - 4990 00	01 - 5020 00 02 - 5030 00 03 - 5040 00 04 - 5050 00	00000000000000000000000000000000000000	10 - 5110 12 - 5120 13 - 5140	16 - 5170.00 17 - 5180.00 18 - 5190.00

1 - 5720.000			: : : : : : : : : : : : : : : : : : : :
7700 00 0 0 2 111,4P1 34	71 - 5720.000	101 8	
7575 000 D 0 2 121, P13 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	72 - 5730,000	OUTPUT ARR, Y	. A test a r spin e en principalmente de quipulente e la commente e
7500 000 1	73 - 5740.00	Z I#1,NPT	
1970 000	74 - 5750.00	THE STACE HES	
750.000 CONTINUE XX.M. (13.7.84.ARR.XY) 750.000 CONTINUE XX.M. (13.7.19.1.101), (DAND([1.2).Tel.101) 750.000 CONTINUE XX.M. (13.7.19.1.101), (DAND([1.2).Tel.101) 750.000 CONTINUE XX.M. (13.6.1.101), (DAND([1.2).Tel.101) 750.000 CONTINUE XX.M. (13.6.1.101), (DAND([1.2).Tel.101) 750.000 CONTINUE XX.M. (13.6.1.101), (DAND([1.2).Tel.101), (X.M.Y.Y.MR) 750.000 CONTINUE XX.M. (13.6.1.101), (M.Y.M.Y.M.) 750.000 BS WYS.M. (13.6.1.101) 750.000 CONTINUE XX.M. (13.6.1.101) 750.000 CONTINUE XX.	76 - 5770.00	AXX(1) H AD	
7.590.000 C COUTPUT AXX, ARC COUTPUT AXX	77 5780.000.	~	
### ### ##############################	78 - 5790,000		
1 - 550.000 C CALL AREA (AT SEW N) 2 - 550.000 C CALL AREA (AT SEW N) 3 - 550.000 C CALL AREA (AT SEW N) 5 - 550.000 C CALL AREA (AT SEW N) 5 - 550.000 C CUTPUT SEWN, 580.01 N; W.Y.Y.ARR) 5 - 550.000 C CALL AREA (AT SEW N) 5 - 550.000 C CALL AREA (AT SEW N) 5 - 550.000 C CALL AREA (AT SEW N) 5 - 550.000 C CALL OFTITION NI, W.Y.S. NI, W.Y.Y.ARR) 5 - 550.000 C CALL OFTITION NI, W.Y.S. NI, W.Y.Y.ARR) 5 - 550.000 C CALL OFTITION NI, W.Y.S. NI, W.Y.Y.ARR) 5 - 550.000 C CALL OFTITION NI, W.Y.S. NI, W.Y.Y.ARR) 5 - 550.000 C CALL OFTITION NI, W.Y.S. NI, W.Y.Y.ARR) 5 - 550.000 C CALL OFTITION NI, W.Y.S. NI, W.Y.Y.ARR) 5 - 550.000 C CALL OFTITION NI, W.Y.Y.Y.ARR) 5 - 550.000 C CALL OFTITION NI, W.Y.Y.Y.Y.Y.Y.ARR) 6 - 550.000 C CALL OFTITION NI, W.Y.Y.Y.Y.Y.Y.Y.Y.Y.Y.Y.Y.Y.Y.Y.Y.Y.Y.Y	80 - 5810-000	1.1011. (DAND (1.2).1	
75 550.000 CALL MRAICHISMAN) 75 550.000 CALL MRAICHISMAN) 75 550.000 CONTROL ATAIL 75 50.000 CONTROL ATAIL 75 70.000 CONTROL A	81 - 5820.000		
\$ \$550,000 C	82 - 5830,000	CALL AREA(AT, SORN)	
596,000 C UUTDUT SAWA SHAY (31G(I), I=1, w+1), (3G(II), I=1, w+1), XL,YL,ZL 596,000 C BL. OUTDUT SHAW SHAY (31G(I), I=1, w+1), (3G(II), I=1, w+1), XL,YL,ZL 596,000 C LALL ONTUT III BL. 25. 5970,000 C UTTUT III W, w 5970,000 C UTTUTUT III W, w 5970,000 C UTTUTUT III W, w 5970,000 C UTTUTUT III W 5970,000 C UTTUTUTUTUT III W 5970,000 C UTTUTUTUT III W 5970,000 C UTTUTUTUTUTUTUTUTUTUTUTUTUTUTUTUTUTUT	84 - 5850.000	0UTPUT AT, AT	
2. 5800.000	85 5860.000	F(1)	. :
5 500.000	86 - 58/0.000), IB1, MO+1), (OCL(I), IE1	
0 - 5910.000	88 - 5890.00	I, WS	## · · · · · · · · · · · · · · · · · ·
2 590,000	89 - 5900 00	ISIABN**S	· The transfer of the state of
92 - 5930.000	90 - 5910,000	OUTPUT FV. EG	
3 - S940,000	92 - 5930,000	0.0.) WVE1.F-7	
4 - 5950,000 T BM #4.59Mp+EDA/A1] 5 - 5950,000 479 FORMAT(6112) 6 - 5970,000 499 FORMAT(6112) 7 - 5990,000 65 END 8 - 5990,000 65 END 8 - 5990,000 6 THIS SUBROUTINE_COEF2(C, 1, 1, 1, 1, 1, 1) 8 - 5990,000 6 THIS SUBROUTINE_COEF2(C, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1, 1,	93 - 5940,00	AN/SHA	
7 = 590,000	94 - 5950.00	BM #4.+SMP+FLDA/	•
- \$980,000 65 END - 6010,000 65 END - 6010,000 C - 6010,0	200000000000000000000000000000000000000	FORMAT (6112)	
9 5990,000 65 END 1	97 - 5980.00	RETURN	
0 = 0.000,000 C	98 - 5990,000	SEN	
6020,000 SUBROUTINE_COEF2(C.) J.K.D.M) 6020,000 C	6000,000	The state of the s	
2 - 6040.000 C THIS SUBROUTINE CALCULATES THE DIFFERENCE BETWEEN TWO 3 - 6050.000 C AREA VALUES IN AN INTEGRATION STEP, 5 - 6050.000 C AREA VALUES IN AN INTEGRATION STEP, 6 - 6050.000 C INDUTS; 7 - 6050.000 C I IS THE INDEX IN ARRAY SIG, 7 - 6110.000 C J IS THE INDEX IN ARRAY SIG, 8 - 6110.000 C J IS THE VALUE OF SIGMA FOR A SINGLE INTEGRATION STEP, 7 - 6120.000 C DJ IS THE NUMBER OF SIGMAS - SIG, 8 - 6150.000 C DJ IS THE ALLE DIFFERENCE, 9 - 6100.000 C DJ IS THE AREA DIFFERENCE, 1 - 6120.000 C DJ IS THE AREA DIFFERENCE, 1 - 6220.000 C C IS THE AREA DIFFERENCE, 1 - 6220.000 C C SOMMON/COEZ/SIG(22),SGL(22),WI	01 - 6020 000	UBROUTINE	:
2 - 6050,000 C AREA VALUES IN AN INTEGRATION STEP. 5 - 6070,000 C AREA VALUES IN AN INTEGRATION STEP. 6 - 6070,000 C INPUTS : 7 - 6000,000 C IS THE INDEX IN ARRAY SIG. 7 - 6100,000 C JIS THE INDEX IN ARRAY SIG. 8 - 6100,000 C JIS THE INDEX IN ARRAY SIG. 9 - 6100,000 C JIS THE WALUE OF SIGMA FOR A SINGLE INTEGRATION STEP. 9 - 6150,000 C DJ IS THE NUMBER OF SIGMAS - SIG. 9 - 6150,000 C M IS THE NUMBER OF SIGMAS - SIG. 9 - 6100,000 C C IS THE AREA DIFFERENCE. 9 - 6210,000 C C IS THE AREA DIFFERENCE. 1 - 6220,000 C C SOMMON/COEZ/SIG(22),8G(22),WI	05 - 6030,000		
5 - 6060,000 C INPUTS : 6 - 6070,000 C INPUTS : 7 - 6090,000 C I IS THE INDEX IN ARRAY SGL, 8 - 6090,000 C J IS THE INDEX IN ARRAY SIG, 9 - 6110,000 C J IS THE INDEX IN ARRAY SIG, 1 - 6120,000 C C IS THE VALUE OF SIGMA FOR A SINGLE INTEGRATION STEP, 2 - 6150,000 C DJ IS THE VUMBER OF SIGMAS - SIG, 9 - 6100,000 C DUTPUTS : 9 - 6200,000 C C IS THE AREA DIFFERENCE, 1 - 6220,000 C C OWWON/COEZ/SIG(22),SGL(22),MI	04 - 6050,000	VOURSULING CALCULATED THE DIFFERENCE BETWEEN TWO	
6 - 6070,000 C INPUTS : 7 - 6080,000 C I IS THE INDEX IN ARRAY SGL, 9 - 6100,000 C J IS THE INDEX IN ARRAY SIG, 1 - 6120,000 C J IS THE INTEGRATION STAPP, 2 - 6130,000 C DJ IS THE VALUE OF SIGMA FOR A SINGLE INTEGRATION STEP, 3 - 6140,000 C DJ IS THE NUMBER OF SIGMAS - SIG, 6 - 6150,000 C DUTPUTS; 9 - 6200,000 C C IS THE AREA DIFFERENCE, 1 - 6210,000 C C IS THE AREA DIFFERENCE, 1 - 6220,000 C C SOMMON/COEZ/SIG(22),9GL(22),WI	000.0909 - 50		
# 6090.000 C I IS THE INDEX IN ARRAY SGL. = 6100.000 C J IS THE INDEX IN ARRAY SIG. = 610.000 C J IS THE INTEGRATION STAZEP. = 6140.000 C DJ IS THE VALUE OF SIGMA FOR A SINGLE INTEGRATION STEP. = 6140.000 C DJ IS THE VALUE OF SIGMAS = SIG. = 6160.000 C OUTPUTS; = 6190.000 C IS THE AREA DIFFERENCE. = 6200.000 C C IS THE AREA DIFFERENCE. = 6220.000 C COMMON/COE2/SIG(22), SGL(22), MI	6 - 6070.000 7 - 6080.000	NPUTS :	
10 - 6110.000 C J IS THE INDEX IN ARRAY SIG. 11 - 6120.000 C M IS THE INTEGRATION STA/EP. 12 - 6130.000 C R IS THE INTEGRATION STA/EP. 13 - 6140.000 C DJ IS THE VALUE OF SIGMA FOR A SINGLE INTEGRATION STEP. 15 - 6160.000 C M IS THE NUMBER OF SIGMAS - SIG. 16 - 6170.000 C DUTPUTS: 17 - 6180.000 C DUTPUTS: 18 - 6100.000 C C IS THE AREA DIFFERENCE. 20 - 6210.000 C COMMON/COE2/SIG(22), WI	8 - 6090,000	IS THE INDEX IN ARRAY	*** ** ** ** ** ** ** ** ** ** ** ** **
11 - 6120,000 C K IS THE INTEGRATION STA/EP. 12 - 6130,000 C K IS THE VALUE OF SIGMA FOR A SINGLE INTEGRATION STEP. 14 - 6150,000 C DJ IS THE VALUE OF SIGMAS - SIG. 15 - 6160,000 C M IS THE NUMBER OF SIGMAS - SIG. 16 - 6170,000 C UUTPUTS : 18 - 6190,000 C UUTPUTS : 19 - 6200,000 C C IS THE AREA DIFFERENCE. 21 - 6220,000 C C OUMPON/COEZ/SIG(22), MI	10 - 6110.000	IS THE INDEX IN ARRAY	
13 - 6190.000 C	11 - 6120,000		
14 - 6150.000 C DJ IS THE VALUE OF SIGMA FOR A SINGLE INTEGRATION STEP. 15 - 6160.000 C M IS THE NUMBER OF SIGMAS - SIG. 17 - 6180.000 C OUTPUTS : 18 - 6170.000 C C IS THE AREA DIFFERENCE. 20 - 6210.000 C C OWWON/COEZ/SIG(22), MI	13 - 6140,000	IS THE INTEGRATION	
15 - 6100.000 C M IS THE NUMBER OF SIGMAS - SIG. 16 - 6170.000 C OUTPUTS: 18 - 6100.000 C OUTPUTS: 20 - 6210.000 C C IS THE AREA DIFFERENCE. 21 - 6220.000 C COMMON/COEZ/SIG(22), SGL(22), WI	14 - 6150.000	J IS THE VALUE OF SIGMA FOR A SINGLE INTEGRATION	· · · · · · · · · · · · · · · · · · ·
17 - 6180,000 C 19 - 6190,000 C 19 - 6200,000	16 - 6170.000	IS THE NUMBER OF	
18 - 6190,000 C 0UTPUTS : 19 - 6200,000 C C IS THE AREA DIFFERENCE. 21 - 6220,000 C COMMON/COEZ/SIG(22),WI	17 - 6180,000		
20 - 6210.000 C C 19 THE AREA DIFFERENCE. 21 - 6220.000 C 22 - 6230.000 COMMON/COE2/81G(22),8GL(22),WI	19 - 6200 000	∞ ••	
22 - 6230,000 COMMON/COEZ/SIG(22), SGL(22), WI	20 - 6210.000	IS THE AREA DIFFERENC	
	22 - 6230,000	OMMON/COE2/816(22),	

The state of the s				·) · · · · · · · · · · · · · · · · · ·					and the state of statement and the statement of the state												• NO.	30L 'N.					d mysterfings manageda.ordsychologista in his jedinakania a andergestervives vant i.e., ilia. Gi.					· · · · · · · · · · · · · · · · · · ·			AL				
COMMON/ARE1/AR(101), DSR, SRMX, AXX(101)	A2#0. 0.#6716(J)+(X+1)*DJ	1	A 1 = YLIN(101,9R,AXX,AR)	-	3	E 761710173	TURN	END.	AND AND THE PARTY OF THE PARTY	SUBROUTINE LPICK(SIG, MS, BP, DB, ALP, DALP)		INTO IN THE LOG NORMAL FICH SCHOOLINES II'S TORTONES				SIG IS THE CROSS SECTION ARRAY.	* • • • • • • • • • • • • • • • • • • •	MS IS THE NUMBER OF SIGNAS IN THE ARRAY.	001PUTS #		THE TO THE TATE THANK THANKETEN TOR THE CUENCHAR SULCITUM.	DALP IS THE FITTING PARAMETER INCREMENT FOR THE L-N SO	CCC OF BUILDING	DB#(SIG(WS+1)=916(1))/20.		5	DAL PARI / 20	ALPA1/2,	TRETURN TELEVISION TEL	END		SUBROUTINE EPICK (SIG, BPI, BP, MS, DP)		EXPONENTIAL PICK SUBROUTINE, IT'S	IN GENERALE A GOOD STAKIIN		INPUTS :	SIG 19 THE CROSS SECTION ARRAY.	
- 6240.0	624 - 6250,000	26 - 6270.0	0.0629	29 - 6300.0	30 - 6310.0	5 - 6330.0	33 - 6340.0	34 - 6350,000	35 - 6360	7 - 6380.000	38 - 6390.000	ヘコ	6420.000	- 6430.000	Ė	6460.000	. 6470.000	6460 000	6500	- 6510.000	6530.000	. 1	- 6550.000 - 6560.000	- 6570	- 6580	959	0199 -	- 6620	6630	000.0099	- 6660	6 - 6670.000	7 - 6680.000	0699 - 8	70 - 6710,000	1 - 6720.000	730.000	74 - 6	

MS IS THE MUMBER OF SIGMAS IN THE ARRAY. BPI IS THE POWER LAM SOLUTION PARAMETER. OUTPUT: BP IS THE EXPONENTIAL POWER INCREMENT. DP IS THE EXPONENTIAL POWER INCREMENT. SERPISHOGISTICALS SERPISHOGISTICALS DEFINED SERPISHOGISTICALS SERPISHOGISTICALS SERPISHOGISTICALS DEFINED SUBROUTINE PRON (BP. IP. SIP. M) THIS SUBROUTINE COMPUTES NORMALIZED PROBABILITIES FOR THE FOWER LAM. EXPONENTIAL. BP IS THE FITTING PARAMETER. IN PORT HE INPUT VALUES OF BP. AND LOG-NORMAL DISTRBUTIONS FOR THE INPUTS. IP DETERMINES MHICH SOLUTION TO LUSE. SO AND AS ARE NORMALIZATION FACTORS REQUIRED ONLY OUTPUTS. MIS THE CROSS SECTION VALUE. SO AND AS ARE NORMALIZATION FACTORS REQUIRED ONLY OUTPUTS. MIS THE LOGSS SECTION VALUE. SO AND AS ARE NORMALIZATION FACTORS REQUIRED IF (SIP. LE.) OUTPUT STP IF (SIP. LE.) MEG. IF (SIP. LE.) MEG. IF (SIP. LE.) MEG. IF (SIP. LE.) MEG. SO AND (12.5) IP													, , ,							de constituires de companyament de companyament de constituires de constituire				1	
S S S S S S S S S S S S S S S S S S S	NUMBER OF SIGMAS IN THE	HE POWER LAW SOLUTION	i i	EXPONENTIAL POWER	IAL POWER	٥	127	-92)/25.	en en manuel de la companya despuis despuis despuis de la companya	PROM (8P,	COMPUTES NORMALIZED PROBABILI	EXPONENTIAL, AND LOG-NORMAL DI ALUES OF BP AND SIP USING THE	FITTING PA	WHICH SOLUTION	^ A A ·	3 => LOG-NORMAL	HE CROSS SECTION	3 AKE NORMALIZATION FACTORS REQUIRED FOR THE LOG-NORMAL SOLUTION.	 NORMALIZED		3.00	15	LE 0) RETURN	- 11 (C 12)	* * * * * * * * * * * * * * * * * * * *

			***************************************					t				. ; ;				•	•					;					* · · · · · · · · · · · · · · · · · · ·			: : : : : : : : : : : : : : : : : : : :		1	· · · · · · · · · · · · · · · · · · ·		· · · · · · · · · · · · · · · · · · ·					:		
	100	F(BP.LT.0. AND IF (IP.LE.2)GOT	80	Ξ.	T.EG. 3) 80 = 80	3.3) AMEBP	NORMALIZATION OF LOG-NORMAL DISTRIBUTION		A180		±	÷(1)	SI	SIIBSIG(J)		0G(SII)-LOG(AM))	218)90	A 1847 1 1 0 4 7 1 4 5 7 7 4 5 0 5 7 7 7 7 7 7 7 7 7 7 7 7 7 7 7 7 7	PUTS	NE E	TABLE DARREST PARTITION OF THE STATE OF THE	continuos de la continuo de la conti	0.5.1	N(I) #0.	₽	9.0		WV80.	HESE	ES AND EV.).		D0500 JEL #S	V_EQUS(\)/N_	1 1 1 1 1 1 X	d16/(1	3K=YLIN(101,8	ALL PPOW(BP, IP, SIP, WS)	04404444	1	2100		
0000	7810.000	0000	7840.000	7850.0	7870.0	- 7880,000	7900.0	- 7910,000	7930.0	0.0767	- 7950.0	7960.0	7970.0	7990,000	- 8000.0	- 8010.0	6020.0	8040,000	- 8050.0	8060.000	0.080.	- 8090.000 C	- 81.00,000.	- 8110,000 S	8130.000	13 - 8140,000		15 - 81.60.000	- 8180.0	- 8190,000 C	- 9200 000 C	000	- 8210 000	- 8240,000	- 8250,000	- 8260,000	- 8270.000	8200	- 8300,000	- 8310.00		

TPUT BPI BPRO. GOTO 10 FRIN MSE, WSLN, WVP, WVE, WVLN AND, RP, LT, RLN) RETURN AL SOL'N IS BEST FROW HERE. IL SOL'N IS BEST FROW HERE. IN SUBPROGRAM PERFORMS A FOR WHICH Y VALUE MUST TY VARIABLE ARRAY FOR W ATTONS APE PERFORMED 1), Y(1) X(1)) GO TO 11 X(1)) GO TO 11					;	:	• • • • • • • • • • • • • • • • • • • •						LINEAR INTERPOLATION.			1		
THE BUILDING LET LOSS HE HE SEE HE WAS DELLED TO BE SEED TO BE SEE	BP1mBP-DBf0UTPUT BP IF(BP-LT.0.) BPm0.	BPEBP-DB IF(IT.LT.4) 6070 TO OUTPUT RP.RE.RLN	WSE, WSL	THE POWER LAW SOL'N IS	. AND . RP . L	ZORDEN STATE OF THE STATE OF TH	N IS	IF (RE,LT,RLN)RETURN	N JOSHOOK NJASHOOK	F LOG-NORMAL SOL'N 18 Hen return from Here.	RETURN)	SUBPROGRAM PERFORMS A	NUMBER OF DATA POINTS - X VALUE FOR WHICH Y VALUE	ENDENT VARIABLE ARRAY EPENDENT VARIABLE ARRAY FOR ERPOLATIONS APE PERFORMED	DIMENSION X(1),Y(1)	0 ImJ,N XX .LT. X(I)) GO INUE	I .60. 1) Is

981 - 980-000	1			
	9900.00	1) (((()) + (())) . 0	0°0 a d	
		í		
				·
	1 7 7 8 7 1 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2	A data all accomplication of comparison comparisons and comparisons are a second comparison and comparison are a second comparison are a second comparison and comparison are a second comparison are a second comparison are a second comparison and comparison are a second comparison and comparison are a second comparison and comparison are a second comparison are a second comparison are a second c	***************************************	
		:		:
	anne e proposa de la compansa de la			
		;		,
				:
		ļ	,	
	·			
	:			
	** ** * ** * * * * * * * * * * * * * * *			. !
	!			: .
		Principle : Aminon a common common management of the common commo	a Chapter I. A Parinta and de la capter de l	· · · · · · · · · · · · · · · · · · ·
				:
	· · · · · · · · · · · · · · · · · · ·		1	